

## Timescale of open-reservoir evolution beneath the south Cleft segment, Juan de Fuca ridge

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25 Abstract Lavas erupted at the southern end of the intermediate Juan de Fuca ridge (Cleft 26 segment) are mostly cogenetic and their chemical diversity results from melt evolution in an 27 open magma system. In the present study, we apply a theoretical model allowing the time 28 evolution of this periodically recharged and tapped magma chamber to be estimated. In our 29 mathematical procedure, the melt quantity supplied to the reservoir varies through time 30 following a sinusoidal function. The rare earth element concentrations in the refilling melt 31 were calculated on the basis of the REE distribution in lavas. This theoretical composition is 32 akin to that previously estimated for a Mg#70 MORB from mineralogical and chemical data. 33 Then, we approached the temporal evolution of the reservoir using a set of suitable parameters 34 deduced from the geometry of the crust and magma system beneath the Cleft segment. 35 Particularly, we considered two end-members scenarios for the melt repartition through the magma reservoir beneath the Cleft segment: the "gabbro glacier" model (crystal nucleation 36 37 and growth occur within one single melt lens and crystals subside vertically and laterally) and 38 the "sheeted sill" model (crystallization takes place within a network of connected sills 39 located at various depths in the crust). We estimated that the magma chamber is refilled every 40 thousand years and that the melt resides approximately one hundred years within the 41 reservoir. 42 43 Keywords: oceanic crust; mid-ocean ridge basalts; magmatic periodicity; open-system 44 reservoir; replenishment melt; residence time 45 46 Introduction 47 48 To develop quantitative models for magmatic systems beneath fast- and intermediate-49 spreading ridges, constraints on the timescales of processes such as melting, differentiation,

50 and crystallization are required. Temporal information is still difficult to estimate from 51 geological and geochemical data. For two decades, more and more studies were based on 52 samples collected from holes drilled into the upper oceanic crust (Wilson et al. 2006), from 53 across-ridge profiles (Davis et al. 2008), from crust exposures along slightly tectonized 54 fracture zones or propagating rifts (Karson et al. 2002a; Karson et al. 2002b; Pollock et al. 55 2005; Cordier et al. 2007), and from ophiolite exposures (Pallister and Hopson 1981; 56 Smewing 1981; Einaudi et al. 2003). These studies provided constraints on the relative 57 chronology of the volcanics and then on the time-related chemical variations in lavas erupted from a single ridge segment. Further seismological data have shown that, beneath spreading 58 59 ridges, the melt lens is a dynamic object. Its volume and depth are tied to the eruption and replenishment cycles of the magma reservoir (Hussenoeder et al. 1996; Hooft et al. 1997; 60 61 Singh et al. 1998). The vertical movements of the melt lens were also documented by 62 petrological evidences of reheating, hydrous partial melting and assimilation of the base of the 63 sheeted dikes (Gillis and Coogan 2002; Koepke et al. 2008; France et al. 2010). On the whole, 64 these results evidence cyclic variations of the thermal state of the axial magma chamber, 65 related to fluctuations of the balance between magma recharge and hydrothermal cooling beneath spreading ridges. 66

67 We propose here to characterize the rare earth element (REE) concentrations in melts 68 that evolved in a postulated periodically refilled reservoir and to estimate the REE 69 composition of the replenishment melt, the average crystallization rate, the period of magma 70 recharge and the average magma residence time, using the mathematical procedure developed 71 by Rannou et al. (2006). We will consider the lavas erupted at the southern end of Juan de 72 Fuca ridge axis: those collected at and near the axis (Smith et al. 1994; Stakes et al. 2006) and 73 those collected along the northern wall of the Western Blanco Depression, which truncates the 74 crust accreted at the Juan de Fuca axis since 1.4 Ma (Cordier et al. 2007). In addition to

75 chemical data, the model resolution requires the estimation of some geological parameters 76 (Fig. 1) related to the architecture of the crust and to the geometry of the magma reservoir. A 77 broad approach of these parameters has already been discussed by Rannou et al. (2006). Here, 78 their estimation will be made to consider the specificities of the reservoir beneath fast- and 79 intermediate-spreading ridges. Indeed, it is well-established that beneath these ridges, the 80 axial magma chamber includes one or several thin lens(es) of partially crystallized melt 81 located just below the sheeted dike complex and overlying a partially molten region (Detrick 82 et al. 1987; Sinton and Detrick 1992; Boudier et al. 1996). However, the role of this (these) 83 melt lens(es) in the storage and differentiation of mid-ocean ridge basalts (MORBs) and in the 84 accretion of the lower crust is still debated. The current models are represented by two end-85 members. According to the "gabbro glacier" model (GG, Fig. 1b), crystal nucleation and 86 growth occur within one single melt lens and crystals subside vertically and laterally to form 87 the lower crust as oceanic crust spreads away from the ridge axis (Henstock et al. 1993; 88 Phipps Morgan and Chen 1993; Quick and Denlinger 1993; Henstock 2002). Conversely, the 89 "sheeted sill" model (SS, Fig. 1c) considers that crystallization takes place in situ within a 90 network of connected sills located at various depths in the crust and that the seismically 91 imaged melt lens is simply the shallowest of them (Boudier et al. 1996; Kelemen et al. 1997; 92 Korenaga and Kelemen 1998; Garrido et al. 2001). The relative efficiency of these two 93 scenarios depends on the cooling rate of the lower oceanic crust and thus on the interplay 94 between heat supply through melt recharge and heat extraction through conduction and 95 hydrothermal circulations. In turn, these models have diverging consequences on the 96 repartition of the amount of crystallization with depth and on the expected degree of 97 differentiation of the melt refilling the upper melt lens. For example, if heat removal by 98 hydrothermal circulations is more efficient from the base of the dyke complex than from deeper in the lower crust, the majority of crystallization probably will occur in the upper melt 99

100	lens rather than in situ within the gabbroic section. In this case, primitive melts will be
101	delivered to the upper lens. In our modeling, we thus evaluated the role of <i>in situ</i>
102	crystallization and, through the quantity of melt in the magma chamber, the respective
103	contribution of the upper melt lens and of the lower sills during magma differentiation.
104	
105	Open magma system beneath the southern Cleft segment of the Juan de Fuca ridge
106	
107	Recent evolution documented by the geochemistry of the Cleft lavas
108	
109	The Juan de Fuca ridge separates the Pacific and Juan de Fuca plates (Fig. 2a, inset).
110	Its southern 60 km-long Cleft segment (45°03'N to 44°27'N) spreads at an intermediate rate
111	(56 mm/y, Wilson 1993) and is bounded by the Vance segment on the north and the Blanco
112	fracture zone on the south (Fig. 2a). The segment axis is characterized by a dome rifted by a
113	large transient graben (Normark et al. 1983). Along the southern part of the segment, the
114	graben floor is notched by a central narrow depression, named cleft or axial summit collapse
115	trough, which results from the collapse of volcanic structures, lava lakes or thick volcanic
116	flows (Chadwick and Embley 1998; Stakes et al. 2006). The roof of discrete melt lenses has
117	been seismically imaged at ~2 km of depth into the crust and over 10 km-long continuous
118	intervals (Canales et al. 2005; Canales et al. 2006). In the southern part of the Cleft segment,
119	the melt lens would be 100-m thick and 900-m wide and partially crystallized, comprising
120	only ~ 30 vol. % of melt (Canales et al. 2006).
121	The Cleft lavas are normal MORBs resulting from the partial melting of a depleted
122	and quite homogeneous mantle source with constant melting extents (Smith et al. 1994;
123	Stakes et al. 2006). The lavas display a large range of compositions ( $3.5 < MgO$ wt. % $< 8$ ,
124	Fig. 2b) that are thought to mostly result from the differentiation of primary tholeiitic melts in

open-system magma reservoirs (Fig. 2c). The correlation between lava ages, degrees of 125 126 differentiation, and latitudes (Fig. 2b, Smith et al. 1994) is consistent with the coexistence of 127 several discrete magma chambers along the Cleft segment, as observed in seismic profiles 128 (Canales et al. 2005), and with the increase of the melt lens crystallinity from north to south 129 inferred from geophysical studies (Canales et al. 2006). In the northern part, young and 130 primitive basalts prevail (Fig. 2b) and would originate from a recently recharged magma 131 reservoir. Southward, lavas are more evolved (Fig. 2b) and would derive from a progressively 132 waned chamber, in response of the decrease of the magma supply (Smith et al. 1994). Thus, 133 along the segment, the magma chambers are in different stage of evolution, which can be 134 interpreted as reflecting the cyclic evolution through time of the axial magma reservoirs, as 135 already proposed for the East Pacific Rise by Lagabrielle and Cormier (1999) and for the 136 north-south propagating spreading center of the North Fiji Basin by Caroff and Fleutelot 137 (2003).

138 The southernmost magma chamber that we study is interpreted to be in a waning state. 139 Dacitic glass has been collected at the intersection between the southern Cleft segment and 140 the Blanco fracture zone (Fig. 2). The dacitic melt could correspond to a differentiated 141 product erupted from cooler and distal edges of the melt lens while the composition in the 142 central part of the lens was buffered by replenishment (Stakes et al. 2006). However, 143 Cotsonika et al. (2005) proposed that dacitic melts might result from contamination of basaltic 144 resident melts by rhyolitic ones issued from the partial melting of the hydrated basaltic crust. More recently, Wanless et al. (2010) suggested that MOR dacites result from extensive 145 146 fractional crystallization combined with partial melting and assimilation of amphibole-bearing 147 altered crust.

148

149 Past evolution documented by the Western Blanco Depression lavas

151	At the southern tip of the Cleft segment, the northern wall of the Western Blanco Depression
152	(Fig. 2a) provides a window through the slightly tectonized upper oceanic crust accreted for
153	1.4 Ma to the north of the ridge-transform intersection (Wilson et al. 1984; Embley and
154	Wilson 1992; Juteau et al. 1995; Karson et al. 2002b; Fig. 3a). A thick volcanic unit, made of
155	basaltic pillow-lavas, massive flows, and sparse feeder dikes (Juteau et al. 1995; Karson et al.
156	2002b), overlies an intensively hydrothermalized sheeted-dike complex (Manac'h et al. 1999).
157	The northern scarp provides an opportunity to study the temporal variations of the lava
158	composition by considering that the vertical succession of the lavas records increasing ages
159	with depth (Tivey et al. 1998; Pollock et al. 2005; Cordier et al. 2007; Fig. 3a).
160	Cordier et al. (2007) have shown that the lavas outcropping along the Northern Scarp
161	are mostly cogenetic. The conclusions of their petrological and geochemical study confirmed
162	that beneath the southern tip of the Cleft segment: (i) the melt evolution occurs in a complex
163	magma chamber, with differentiated, H <sub>2</sub> O-rich compositions achieved in the cooler
164	solidification zones; (ii) the differentiation mainly results from fractional crystallization,
165	coupled with magma mixing between basaltic and intermediate melts; (iii) the mixing events
166	reveal the periodic recharge of the reservoir by mafic melts (Mg#=70) and this regime has
167	governed the magmatic system over the last ~1.4 Ma (Fig. 3b).
168	These results on the lavas erupted both at the present time (Smith et al. 1994; Stakes et
169	al. 2006) and over the last 1.4 Ma (Cordier et al. 2007) show that the magma chamber beneath
170	the southern end of the Cleft segment fulfills the conditions required to apply the model of
171	Rannou et al. (2006): (i) the chemical variations in the collected lavas derive from reservoir
172	differentiation and the chemical effects attributable either to the mantle source heterogeneity
173	or to variations of the melting degree can be considered negligible (Smith et al. 1994), except
174	perhaps for the dacite genesis (Wanless et al. 2010); (ii) the time evolution of the processes

175	occurring in the reservoir can be approached from the spatial distribution of the lava
176	chemistry, along the length of the Cleft segment (Fig. 2b) or vertically (Fig. 3b) along the
177	Northern Scarp (Smith et al. 1994; Pollock et al. 2005; Cordier et al. 2007); (iii) the magma
178	chamber has evolved in open system, with periodic melt inputs (Cordier et al. 2007).
179	
180	Geomathematical modeling of the temporal evolution of the magma chamber beneath
181	the southern Cleft segment
182	
183	Properties and resolution steps of the model
184	
185	In the next sections, we will approach the variations of melt quantities and compositions
186	during the evolution of a periodically replenished and tapped steady-state magma chamber
187	through differential equations, by using the model developed by Rannou et al. (2006).
188	Incompatible trace elements (here rare earth elements) are especially suitable for such a
189	modeling. The behavior of compatible elements is too much dependent on both the nature and
190	the proportion of the fractionating minerals. The originality of the model comes from the use
191	of a sinusoidal function to reproduce the continuous and smoothed variations through time of
192	the quantity of melt refilling the reservoir. The volume of resident melt varies in response to
193	the intrusion and controls the crystallized and extruded volumes (Fig. 1a). Rannou et al.
194	(2006) showed that for a steady-state reservoir, the REE concentrations in melts expelled
195	from such a reservoir vary continuously through time following a sinusoidal curve.
196	Concentrations in incompatible elements are minimal just after the recharge of the system by
197	mafic melts, and they progressively increase due to the fractional crystallization occurring
198	between two recharge events. This approach reconciles both concepts about the open-system
199	magma chambers, usually treated separately: periodic inputs (O'Hara 1977; O'Hara and

200 Mathews 1981) and continuous inputs (De Paolo 1981; Reagan et al. 1987). Here, indeed, the 201 input is continuous but occurs at different rates.

202 Rannou et al. (2006) demonstrated that this model is especially suitable for modeling 203 the evolution of natural systems since it isolates the signals that are geologically significant. 204 For example, in a reservoir that is periodically recharged by melt of near constant 205 composition, the effects of natural disturbances in the replenishment cycles are strongly 206 attenuated and do not perturb significantly the calculated variation through time of the lava 207 composition (Rannou et al. 2006: their Fig. 3). Noises in the input function behave like a 208 high-frequency signal, attenuated by the magmatic system. In the same way, an occasional 209 and short variation of the incompatible trace element composition of the refilling melt, 210 traducing for instance a sudden wall-rock contamination, does not significantly modify the 211 modeled composition of the lavas that evolve in the system. For example, Rannou et al. 212 (2006) have considered a magmatic system assimilating a quantity of rocks (leucosome with 213 12 ppm Ce) corresponding to 10 % of the incoming melt (MORB with 3 ppm Ce) during a 214 fifth of the period. The difference in output Ce concentrations does not exceed 7% with 215 respect to the assimilation-free model: the lava concentration peak increases from 17.2 to 18.3 216 ppm of Ce just after the event, then to a damped value of 17.8 ppm at the following cycle. 217 These properties thus allow considering a smoothed, mathematically simple sinusoid to model 218 the magma recharge.

Rannou et al. (2006) divided the resolution procedure in two steps (Fig. 4). The
different parameters and their units are listed in Table 1. The first resolution step requires the
estimation of:

- the incompatible trace element concentrations in the cogenetic lavas that bound the compositional range of the dataset, regarded as representative of the expelled liquids during the open-system evolution of the reservoir ( $C^{E}_{min}$  and  $C^{E}_{max}$  for the element E, Table 1);

226

- the distribution coefficients between the global solid that crystallized and the melt (*D*<sup>E</sup>);

227

- the ratio between expulsion and crystallization rates  $(r_e)$ .

228 We introduced an additional parameter with respect to the model of Rannou et al. 229 (2006) to take into account the complexity of the differentiation in the composite magma 230 chambers beneath the spreading ridges. Indeed, the interstitial residual melts of the crystal 231 mush zones can be extracted and mix with the resident melt. The chemical evolution resulting 232 from such a mechanism – if exists – certainly differs from the pure fractional crystallization 233 process, as considered by Rannou et al. (2006). Thus, we considered the reinjection into the 234 melt lens of a fraction f of interstitial liquid that has evolved within the partially solidified 235 zones (Table 1). The equations are adapted from Langmuir (1989) by replacing the bulk distribution coefficient  $D^{E}$  by the parameter  $z^{E}$  (Table 1 and Eq. 2 of Fig. 4). As expressed,  $z^{E}$ 236 237 models possible chemical exchanges between interstitial liquids and surrounding crystals (Langmuir 1989). Caroff (1995) named imperfect fractional crystallization this mechanism of 238 239 solutal convection with mineralogical reactions, the principles of which being close to those 240 of the *reactive crystallization* model of Collier and Kelemen (2010).

241 The different data are introduced into Eq. 1 of Fig. 4, in which all the parameters are 242 considered constant through time. In a first step, for each REE, we run iteratively the Eq. 1 with different values of  $C_i^E$  and  $\beta^E$  (internal parameter, see Table 1 and Rannou et al. 2006) 243 244 until the maximum and minimum concentrations that are modeled match those measured in 245 lavas (Rannou et al. 2006). The replenishment pulsation ( $\omega$ ) is arbitrarily fixed for this first step as it has no effect on the calculated  $C^{E}$  values. This is equivalent to model the variations 246 of  $C^{E}$  in function of a dimensionless time. The REE concentrations in the replenishment melt 247  $(C_i^E)$  and the  $\beta^E$  value for each REE are estimated. The average of the  $\beta^E$  values calculated for 248 all the considered REE ( $\beta_{av}$ ) corresponds to the ratio between the replenishment pulsation and 249

250	the crystallization rate (Table 1). The good reproducibility of the $\beta^{E}$ values, i.e. a low standard
251	deviation on their average $\sigma(\beta_{av})$ , is then used to validate the set of distribution coefficients.
252	The second step of the modeling requires the estimation of the mean rate of melt
253	injection $[q_i]$ into the reservoir and of the variation of the quantity (here expressed as volume)
254	of resident melt during a cycle ( $Q_{\text{max}}$ - $Q_{\text{min}}$ ). These parameters are introduced in Eqs. 3-5 (Fig.
255	4), together with $r_{\rm e}$ and $\beta_{\rm av}$ , to calculate the fraction of melt crystallized by year ( $\alpha$ ), the
256	period of the replenishment $(T)$ , and the mean residence time of the melt within the reservoir
257	( $\tau$ ). By introducing these results in Eq. 6 (Fig. 4), we model the temporal variations of the
258	resident melt volume.
259	The curves of Fig. 5 illustrate the effects of the variation of some parameters
260	introduced into the modeling ( $C^{E}_{max}$ , f, $Q_{max}$ - $Q_{min}$ ) on the calculated compositions of melt
261	expelled from the periodically recharged reservoir (from Eq. 1: Fig. 5a, b) and on the volumes
262	of resident melt (from Eq. 6: Fig. 5c, d).
263	
264	Procedure applied to the magma system beneath the southern Cleft segment
265	
266	Model parameter estimation
267	
268	Our calculations are only based on rare earth elements (REE) because (i) these elements have
269	been extensively analyzed in the available samples, (ii) their concentrations have not been
270	significantly modified during subsequent seawater alteration, and (iii) their individual
271	mineral/liquid distribution coefficients are quite well constrained from literature data. Along
272	the Northern Scarp, Cordier et al. (2007) defined a cogenetic suite that extends from the mafic
273	basalt BV2960-7 (MgO~8.1 wt.%) to the ferrobasalt BN02-12 (MgO~4.32 wt.%), both
274	aphyric (Figs 2c and 6). We used these two samples to approach $C_{\min}^{E}$ and $C_{\max}^{E}$ , respectively

275 (Table 2). However, Cordier et al. (2007) found that some ferrobasalts might result from 276 mixing between dacitic residual melts (MgO~1.1 wt.%) and mafic melts (MgO~8.5 wt.%). 277 Even if such a hypothesis is judged unlikely in recent studies, such as Wanless et al. (2010), a second set of calculations has been performed using a more evolved  $C_{\text{max}}^{\text{E}}$  end-member, in 278 279 view to test the response of the model to a variation of the chemical parameters introduced 280 into Eq. 1 of Fig. 4. All along the south Cleft segment, the only dacitic glass has been sampled 281 by Stakes et al. (2006) but has not been analyzed for REE by these authors (Table 2, Fig. 2, 282 sample RC10). Consequently, we used the composition of an andesite collected on the 283 Galapagos Spreading Center (Fornari et al. 1983; Perfit et al. 1983), that has REE pattern 284 parallel to the Northern Scarp ferrobasalts (Table 2 and Fig. 6a). 285 The next parameter,  $r_{\rm e}$  (Table 1), has been approximated following the method 286 proposed by Rannou et al. (2006) as the ratio between the thicknesses of the basaltic and

gabbroic layers of the oceanic crust (Figs. 1b and c). Assuming that the gabbros extend from the seismically imaged melt lens to the Moho, the ratio of the melt lens depth (2 km, Canales et al. 2005) to the thickness of the plutonic complex (5 km, West et al. 2003) provides a  $r_e$ ratio equal to 0.4.

The REE bulk distribution coefficients have been calculated by weighting the individual mineral/liquid distribution coefficients of the mineral phases (Agee 1990; Fujimaki et al. 1984) by their appropriate proportion in the global crystallizing assemblage. For a differentiation leading to ferrobasalts, the phase proportions are determined for a Fe-Ti oxidefree gabbroic cumulate ( $D_1^{E}$ , Table 2). For an andesitic term, the crystallizing assemblage includes Fe-Ti oxides, as suggested by the drastic drop in the TiO<sub>2</sub> content observed in the Fig. 3 diagram, and apatite ( $D_2^{E}$ , Table 2).

By varying the *f* value from 0 to 1, we can describe all the cases ranging from perfect equilibrium (restricted to the solidification zone) to perfect fractional crystallization. The

300 procedure described by Rannou et al. (2006) presupposes a *f* value equal to 1 ( $z^E = D^E$ ). In our 301 calculations, we also tested the model with a value of *f* of 0.5.

The last parameters to be estimated are the melt quantities, here expressed as volumes. Beneath the Cleft segment, the distribution of the axial crustal reflector imaging the melt lens shows that the magma chamber is continuous over 5 to 10 km-long intervals, even if its characteristics (depth and crystallinity) vary with shorter wavelength (Canales et al. 2005). It is likely that the scale of the magma chamber segmentation has not changed significantly over the last thousands of years. Thus, we calculated the different melt volumes introduced in the model resolution by considering a 10-km long magma chamber.

The mean rate of melt injection  $[q_i]$  is regarded as the volume of crust accreted per year. For a 7 km-thick crust (West et al. 2003) and a full spreading rate of 56 mm/yr (Wilson 1993),  $[q_i]$  is equal to 0.004 km<sup>3</sup>/(yr.10km).

The variation of the volume of resident melt during a cycle  $(Q_{\text{max}}-Q_{\text{min}})$  is the least 312 313 precisely estimated, because it requires assumptions on the quantity of melt expellable from 314 the magmatic system and thus on the melt distribution over the crust thickness beneath the 315 ridge axis. Beneath the southern part of the Cleft segment, given the lens size and crystallinity 316 deduced from seismic data (Canales et al. 2005, 2006), the quantity of melt that can be 317 expelled from the uppermost, seismically imaged and partially crystallized lens (gabbro 318 glacier model GG1, Fig. 1b) during the time interval of inflation and deflation of the magma chamber is ca. 0.45 km<sup>3</sup> (Table 3). We also run the calculations with a higher volume of melt 319  $(0.63 \text{ km}^3/10 \text{ km}, \text{GG2}, \text{Fig. 1b} \text{ and Table 3})$  to consider the partial draining of the interstitial 320 321 melt from the mushy solidification zones to the melt lens during compaction of the magma 322 chamber (Lagabrielle and Cormier 1999). Finally, we made an attempt to estimate the volume 323 of melt expellable from several sheeted sills distributed all over the crust thickness (SS model, 324 Fig. 1c). However, no geophysical results can be actually used to decide how many sills lie in

325 depth and how these sills contribute to the magma chamber tapping. We arbitrarily considered

that no more than a second melt lens is affected by the melt tapping, assigning a value of 0.9

327 km<sup>3</sup>/10 km to the parameter  $Q_{\text{max}}$ - $Q_{\text{min}}$  (Table 3).

328

329 Results

330

331 The geochemical and temporal results of the modeling applied to the magma system beneath 332 the southern Cleft segment are shown in Table 3 and in Figs 5-6. The consistency of the set of  $D^{\rm E}$  (and  $z^{\rm E}$ ) coefficients, and consequently the validity of the calculated  $C_{\rm i}^{\rm E}$ , is attested by the 333 good reproducibility of the  $\beta^{E}$  values calculated for the different REE (Table 3), as shown by 334 the low  $\sigma(\beta_{av})$  values (ranging from 0.119 to 0.200, Table 3). For a *f* value of 1, the  $C_i^E$  values 335 calculated from the ferrobasalt and andesite composition to approach  $C_{\text{max}}^{\text{E}}$  are fairly similar 336 (Table 3 and Fig. 6b). The  $C_i^E$  patterns have lower REE contents and are slightly more 337 338 depleted in light REE relative to lavas. The pattern of the primary melt with Mg#=70 determined by Cordier et al. (2007) is very close to and bracketed by the two theoretical 339 340 refilling melt compositions (Fig. 6b). This similarity confirms that the modeled replenishment 341 liquid can be regarded as a primary melt.

The differentiation sequence leading to andesites cannot be reproduced using a low fvalue to model a low melt flow from the solidification zones to the main magma lens (Langmuir 1989, Caroff 1995). Indeed, for most of the REE (except La and Nd), the modeled composition of expelled melts does not match the observed composition range. This result might support that andesite/dacite compositions cannot be achieved by pure MORB fractional crystallization, consistently with the Wanless et al. (2010) conclusions. For the differentiation leading to ferrobasalts, introducing a f value of 0.5 results in  $C_i^E$  values slightly higher than

for perfect fractional crystallization (*f*=1, Fig. 5b), without significant increase of the  $\beta^{E}$ variability ( $\sigma(\beta_{av})=0.124$ , Table 3).

When calculating the temporal data, the only varying parameters are  $\beta_{av}$  and  $Q_{max}$ - $Q_{min}$ 351 (Eqs 3-5, Fig. 4). Low  $\beta_{av}$ , resulting either from high  $C^{E}_{max}$  or from low f values (Table 1, 352 353 Step 1), produces high average crystallization rate  $\alpha$ , high replenishment period T, and low 354 average melt residence time  $\tau$  (Fig. 5a, b and Table 3, Step 2). Conversely, an increase of the 355 variation of the magma chamber volume during a cycle ( $Q_{max}$ - $Q_{min}$ ) results in a diminution of 356  $\alpha$  and an increase of both T and  $\tau$  (Fig. 5c, d and Table 3, Step 2). Thus, considering a 357 reservoir with a well-established thermal regime, the more the volume of interconnected (i.e. 358 expellable) liquids is high the more the time required for magma differentiation is long. As 359 the temporal results are very sensitive to the  $Q_{\text{max}}$ - $Q_{\text{min}}$  value (Fig. 5 and Table 3), they 360 strongly depend on the assumptions about the quantity of expellable melt.

361 The volume of melt in the reservoir oscillates through time with inflation plus 362 deflation cycles of 550 to 2250 years, in function of the values ascribed to the chemical and 363 geological parameters (Table 3 and Fig. 5). In average, melts reside 60 to 150 years in the 364 magma chamber (Table 3). The variation range of the calculated magma residence times is 365 close to that determined using Ra-Th disequilibria (tens to thousands years) for basaltic to 366 andesitic magmas that have evolved in steady-state, well mixed, open-reservoirs (Pyle 1992). 367 However, the temporal results of this modeling can hardly be validated by direct comparison 368 with radiochronological data measured on the studied samples. First, we cannot estimate the 369 cycle period by dating the mafic samples that bracket a chemical cycle. Current datation 370 methods have not a sufficient time resolution (e.g. magnetic isochrones, Fig. 3), they are difficult to apply to tholeiites (e.g. K/Ar and <sup>40</sup>Ar/<sup>39</sup>Ar methods), or they are not suitable for 371 the considered lavas that are older than about 300 Ka (e.g. <sup>230</sup>Th/<sup>238</sup>U, Fig. 2). Second, our 372 samples are too old (> 8,000 years) to still record the  ${}^{226}$ Ra- ${}^{230}$ Th or  ${}^{210}$ Pb- ${}^{226}$ Ra disequilibria, 373

which are generally used to estimate the magma residence time in spreading ridge context
(Cooper et al. 2003; Goldstein et al. 1993; Rubin and MacDougall 1990; Rubin et al. 2005;
Volpe and Goldstein 1993).

377

378 Conclusions

379

In this study, we attempted to model the time evolution of the periodically recharged magma chamber beneath the southern tip of the Cleft spreading segment. First, Rannou et al. (2006) developed a realistic mathematical procedure to model the geochemical evolution of changing volume magma chambers, periodically recharged and tapped. Subsequently, in their study on the lavas exposed along the northern wall of the Western Blanco Depression, Cordier et al. (2007) highlighted a complex chemical evolution with depth, interpreted as the result of periodic replenishment of the southernmost magma reservoir of the Cleft segment.

387 We applied here the procedure of Rannou et al. (2006) to this zone of the Cleft 388 segment. The composition of the replenishment melt that we modeled is consistent with that 389 obtained from mineralogical and chemical data for a Mg#=70 melt (Cordier et al. 2007). This 390 reproducibility between theoretical and experimental compositions, already shown by Rannou 391 et al. (2006) in their application to North Fiji Basin lavas, validates the first step of the 392 modeling. In addition, by introducing geological parameters in the modeling procedure, we 393 estimated that the magma chamber is refilled every  $1,100 \pm 500$  years and that the melt 394 resides ~ 100 years within the reservoir beneath the southern Cleft segment. These temporal 395 results are close to those calculated in a same way for the ultra-fast spreading East Pacific 396 ridge (period T = 750 years and magma residence time  $\tau = 300$  years; Rannou et al. 2006). 397 This study demonstrates the applicability of the model of Rannou et al. (2006) to 398 magma reservoirs beneath spreading ridges. Once the periodic evolution of the magma

399	chamber demonstrated, it can be used to approach the composition of the replenishment melt.
400	Besides, its application to sites where conventional dating methods are not relevant is an
401	auxiliary approach to access the periodicity of the magmatic cycles and the melt residence
402	time. The result accuracy depends on the precision when estimating the variable parameters,
403	from geological and geochemical data. Inversely, for sites where our theoretical approach
404	could be combined with radiochronological data, such a combination could bring new
405	constraints on some of the data used for the model resolution and consequently on the
406	subjacent assumptions about the magma system. For example, the volume of melt expellable
407	from the magmatic system ( $Q_{max}$ - $Q_{min}$ ) could then be stated and the models of lower oceanic
408	crust accretion be discriminated.
409	
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411	Bohrson for reviewing this work.
412	
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587	Figure captions:
588	
589	Figure 1. Theoretical magma chamber considered in the mathematical modeling (a) and its
590	adaptation to fit with the different mechanisms proposed for the accretion of the lower
591	oceanic crust and for the related geometry of the magma chamber beneath fast to intermediate
592	spreading ridges (b and c). In the "Gabbro glacier" model (b), crystallization takes place in a
593	thin sill at the base of the sheeted dike complex from which cumulates subside down

594 (Henstock 2002; Henstock et al. 1993; Phipps Morgan and Chen 1993; Quick and Denlinger 595 1993). GG1 and GG2 refer to the two scenarios envisioned when discussing in the text the 596 volume of melt expellable from the reservoir (with or without the contribution of the 597 interstitial melt of the crystal mush, respectively). In the "Sheeted sill" model (c), the lower 598 oceanic crust is formed through in situ crystallization of multiple sills (Boudier et al. 1996; 599 Garrido et al. 2001; Kelemen et al. 1997; Korenaga and Kelemen 1998). The volume of 600 expellable melt is then approached by considering the contribution of two melt lenses. The 601 different parameters are defined in Table 1: Q refers to melt volumes, C to element 602 concentrations, and the subscripts i, c and e to injected, crystallized and expelled, 603 respectively. The wide arrows show the main melt fluxes through the magmatic system. 604 605 Figure 2. Chemical evolution of the lavas collected along the Cleft segment and the Northern 606 Scarp of the Western Blanco Depression (WBD). a) Shaded relief bathymetry of the Cleft 607 segment and WBD with the location of the submersible dives along the Northern Scarp 608 (Cordier et al. 2007; Juteau et al. 1995) and of the Cleft segment samples (Smith et al. 1994; 609 Stakes et al. 2005). Inset: location map of the WBD in the NE Pacific. JdF R.: Juan de Fuca 610 ridge; G. R.: Gorda ridge; BTF: Blanco Transform Fault. b) Evolution of the MgO contents in 611 lavas with latitude. c) TiO<sub>2</sub> versus MgO diagram. Samples used in the model resolution are 612 labeled and their composition is listed in Table 2. Chemical data are from the literature (Smith 613 et al. 1994; Stakes et al. 2005; Cordier et al., 2007).

614

Figure 3. Chemical evolution with depth in the extrusive unit of the Northern Scarp for two
groups of dives, located ca. 25 and 40 km eastward from the Juan de Fuca axis, respectively.
a) Lithologies observed along the Northern Scarp superimposed on the magnetic cross section
(Tivey 1996; Tivey et al. 1998). Normal polarity crust is shaded in light gray (M: Matuyama)

and inverse polarity crust in dark gray (B: Brunhes, J: Jaramillo, 2: Anomaly 2). The filled
stars show the position of the dives illustrated in b). b) Variations of La with depth. They are
consistent with those of Mg# shown in Cordier et al. (2007) (their Fig, 10). The changes from
mafic (low La contents) to intermediate or evolved terms (high La contents) are thought to
result from fractional crystallization, followed by returns to mafic compositions during
replenishment events.

625

Figure 4. Resolution procedure of the model of Rannou et al. (2006). Parameters are defined in Table 1. In the step 1, Eq. 1 is modified after Eq. 12 of Rannou et al. (2006).  $\omega$  is fixed arbitrarily to  $2\pi$ . *f* and  $z^{E}$  are new parameters with respect to the model of Rannou et al. (2006) and are used to model the mixing between the interstitial residual melts of the crystal mush zones and the melt residing in the lens.

631

Figure 5. Effect of the variation of the parameters  $C^{E}_{max}$ , f and  $Q_{max}$ - $Q_{min}$  on the REE 632 633 concentration in lavas (a and b) and on the resident melt volume (c and d). La is shown as an 634 example of the REE concentrations in lavas. The curves are drawn using Eq. 1 and Eq. 6 (Fig. 4). The parameters  $C_{\min}^{\text{La}}$  (3.1 µg/g),  $r_{\text{e}}$  (0.4) and  $[q_{\text{i}}]$  (0.004 km<sup>3</sup>/yr.10km) are similar in the 635 different illustrated cases. The values of f,  $C^{E}_{max}$  and  $Q_{max}$ - $Q_{min}$  used in each case are stated 636 637 on the figure. f is the fraction of interstitial melt migrating from the solidification zone into the 638 melt lens. f=1 when the melt lens collects the entire volume of the melts that have evolved in 639 the solidification zones (perfect fractional crystallization). f=0.5 when half of the melts that 640 have evolved in the solidification zones are injected within the melt lens. The results for each 641 calculation are listed in Table 3. The model does not give suitable solution for f = 0.5 and  $C^{\text{La}}_{\text{max}} = 20.6 \ \mu \text{g/g}$  (b). 642

644 Figure 6. Chemical compositions used for the model resolution and results of the first step of the modeling. (a) The range of REE compositions of the Northern Scarp lavas, the  $C_{\min}^{E}$  and 645  $C_{\text{max}}^{\text{E}}$  used in the modeling (listed in Table 2) and the Mg#70 melt composition deduced by 646 Cordier et al. (2007) from petrological and geochemical data are shown. (b) Composition of 647 the replenishment melt ( $C_{i}^{E}$ , Table 3) together with the lava range (see text).  $C_{i}^{E}$  are calculated 648 649 graphically for each REE by introducing into Eq. 1 of Fig. 4 the following parameters:  $r_e =$ 0.4;  $C_{\text{max}}^{\text{E}} = \text{REE}$  contents in Fe-basalt and andesite, respectively (Table 2); f=0.5 and f=1. 650 The theoretical  $C_{i}^{E}$  patterns have lower REE contents than the lavas and are slightly more 651 652 depleted in LREE. The spectrum of the Mg#=70 primary melt is very close to and bracketed by our theoretical refilling melts. The model does not give suitable  $C_{i}^{E}$  pattern for f = 0.5 and 653 654  $C^{\rm E}_{\rm max}$  (and esite).

Table 1. Definition of the model parameters.

Parameters	Values <sup>a</sup>	Definition
$C^{\rm E}_{\rm max} (\mu g/g)$	Table 2	Concentration of the rare earth element E in the most evolved lava
$C_{\min}^{\rm E}(\mu g/g)$	Table 2	Concentration of E in the most mafic lava
$C_{i}^{\rm E}$ (µg/g)		Concentration of E in the refilling melt
$D^{\mathrm{E}}$	Table 2	Bulk distribution coefficient of E
$f^{b}$	0.5 and 1	Fraction of melt evolving in the solidification zones and reintroduced in the melt lens
z <sup>E b</sup>	Table 2	Coefficient accounting for melt differentiation due to fractional crystallization and
_		possible chemical exchanges between melt and crystals in crystal mush
$[q_i] (\text{km}^3/\text{yr.10km})^{\text{c}}$	0.004	Average rate of melt input in the reservoir
$\alpha$ (yr <sup>-1</sup> )		Average crystallization rate: fraction of melt crystallized per time unit
$\omega/2\pi$ (Hz)		Frequency of the replenishment, with $\omega$ the pulsation of the replenishment
$\beta^{\rm E}$		Internal parameter iteratively estimated for each E, the average of which gives $\beta_{av}$
$\beta_{\rm av}$		Ratio between pulsation ( $\omega$ ) and crystallization rate ( $\alpha$ ), average of the $\beta^{E}$ values
r <sub>e</sub>	0.4	Mean ratio between average extrusion and crystallization rates
$Q (\text{km}^3/\text{yr.10km})^{\text{c}}$		Volume of melt residing (i.e. expellable) in the reservoir
$Q_{\rm max}$ - $Q_{\rm min}$ (km <sup>3</sup> /10km) <sup>6</sup>	<sup>2</sup> 0.45 to 0.90	Amplitude of the variations of the melt volume in the reservoir
T(yr)		Period of the replenishment
$\tau(yr)$		Average magma residence time

<sup>a</sup> Values introduced into the resolution procedure are stated here when constant for the different REEs. Otherwise, they are listed in Table 2.

<sup>b</sup> Parameters adapted from the equations of *in situ* crystallization of Langmuir (1989). <sup>c</sup> Units are expressed for a 10 km-long magma chamber, as typically observed beneath the Cleft segment. See text.

Sample	2960-7	BN02-12	999-1B	RC-10				
Parameter <sup>a</sup>	$C^{\rm E}_{\rm min}$	$C^{\rm E}_{\rm max}$	$C^{\rm E}_{\rm max}$		$z_1^{Eb}$	$z_2^{Eb}$	$z_1^{Eb}$	$z_2^{Eb}$
Type <sup>c</sup>	Bas.	Fe-bas.	And.	Dac.	$\rightarrow$ Fe-bas.	$\rightarrow$ And.	$\rightarrow$ Fe-bas.	$\rightarrow$ And.
f					1	1	0.5	0.5
Loc. <sup>d</sup>	NS	NS	Galap.	Cleft				
Analysis <sup>e</sup>	WR	WR	GL	GL				
Ref. <sup>f</sup>	1	1	2	3				
SiO <sub>2</sub> (wt. %)	49.50	48.85	56.70	63.15				
TiO <sub>2</sub>	1.36	3.61	1.91	1.29				
$Al_2O_3$	15.15	11.62	11.42	12.47				
Fe <sub>2</sub> O <sub>3</sub> <sup>tot g</sup>	10.80	19.10	17.98	11.84				
MnO	0.19	0.26	0.29	0.18				
MgO	8.05	4.27	1.80	1.13				
CaO	12.00	7.78	6.90	4.52				
Na <sub>2</sub> O	2.30	3.10	3.48	4.43				
K <sub>2</sub> O	0.15	0.34	0.39	0.98				
$P_2O_5$	0.14	0.52	0.65	-				
LOI	-0.15	1.08	-	-				
Total	99.49	100.53	101.52	99.99				
Mg# <sup>h</sup>	64.85	35.62	22.07	23.95				
La (µg/g)	3.1	13.3	20.6		0.06	0.09	0.11	0.16
Ce	9.6	42	61		0.06	0.10	0.11	0.19
Nd	8.3	40	58		0.11	0.18	0.20	0.30
Sm	3.05	-	18.2		0.17	0.27	0.30	0.42
Eu	1.09	3.30	4.82		0.21	0.29	0.35	0.45
Gd	4.25	-	23.5		0.22	0.32	0.35	0.49
Dy	5.25	16.2	27.0		0.22	0.33	0.37	0.50
Er	3.10	10.7	18.8		0.23	0.33	0.37	0.49
Yb	3.10	9.65	17.6		0.22	0.30	0.36	0.46

Table 2. Chemical input parameters.

<sup>a</sup> Parameters are defined in Table 1. <sup>b</sup> The  $z^{E}$  values are calculated from the bulk partition coefficients  $D^{E}$  (Table 1), considering two *f* values (1 and 0.5) and two cumulate modal compositions: 0.10 ol + 0.35 cpx + 0.55 plag for  $z_1^{E}$  (Rannou et al. 2006) and 0.043 ol + 0.447 cpx + 0.452 plag + 0.055 tmt + 0.003 ap for  $z_2^{E}$  (Perfit et al. 1983). Note that when  $f = 1, z^{E}$ and  $D^{\rm E}$  are equivalent.

<sup>c</sup> Bas. = basalt; Fe-bas. = ferrobasalt; And. = andesite; Dac. = dacite.

<sup>d</sup> Location: NS = Northern Scarp; Galap. = Eastern Galapagos rift; Cleft = south Cleft segment. <sup>e</sup> WR = whole-rock analysis (ICP-AES); GL = glass analysis (EPMA).

<sup>f</sup> References: 1. Cordier et al. (2007); 2. Fornari et al. (1983) and Perfit et al. (1983); 3. Stakes et al. (2006). <sup>g</sup> All Iron as  $Fe_2O_3^{tot}$ . <sup>h</sup> Mg# is calculated using a  $Fe_2O_3/FeO$  ratio of 0.2, 0.3 and 0.4 for basalt/ferrobasalt, andesite, and dacite,

respectively.

Table 3. Results of the modeling for the Cleft segment magma system in function of different values of  $C_{\text{max}}^{\text{E}}$ , f and  $Q_{\text{max}}$ - $Q_{\text{min}}$  but similar values of  $C_{\text{min}}^{\text{E}}$  (Table 2),  $r_{\text{e}}$  (0.4) and  $[q_{\text{i}}]$  (0.004 km3/yr.10km).

$C_{\max}^{E_{1}}$	Fe-bas	Fe-bas	Andesite	Mg#=70	
f	1	0.5	1		
Step 1: Composi	tion of the	modeled repl	enishment me	<u>elt</u>	
La (µg/g)	1.42	1.54	1.52	1.35	
Ce	4.41	4.82	4.85	4.37	
Nd	4.19	4.75	4.67	4.13	
Sm			1.90		
Eu	0.62	0.72	0.70	0.69	
Gd			2.80		
Dy	3.03	3.56	3.50	3.08	
Er	1.82	2.13	2.05	1.90	
Yb	1.78	2.09	2.02	1.83	
$eta^{ extsf{REE}}$	0.930-1.2	285 0.715-1.04	480.141-0.73	0	
$eta_{ m av}$	1.137	0.899	0.467		
$\sigma(\beta_{\rm av})^2$	0.119	0.124	0.200		

Step 2: Crystallization rate ( $\alpha$ ), period (T), residence time ( $\tau$ )

$\overline{\mathrm{GG}^3}, Q_{\mathrm{max}} - Q_{\mathrm{m}}$	$_{\rm in} = 0.45 \ {\rm km}^3$	/10km		
$\alpha (\mathrm{yr}^{-1})$	0.0099	0.0107	0.0121	
T(yr)	561	654	1118	
$\tau(yr)$	72	67	59	
$GG^3$ , $Q_{max}$ - $Q_m$	$_{\rm in} = 0.63 \ {\rm km}^3$	/10km		
α	0.0070	0.0076	0.0086	
T	785	916	1565	
τ	101	94	83	
$SS^3$ , $Q_{max}$ - $Q_{min}$	$_{\rm n} = 0.9 \ {\rm km}^3/10$	)km		
α	0.0049	0.0053	0.0060	
T	1122	1308	2235	
τ	145	134	119	

<sup>1145</sup> <sup>1154</sup> <sup>1179</sup> <sup></sup> model. See text for the estimation of the different volumes.



Cordier et al. Figure 1



Figure 2 Cordier et al.



Figure 3 Cordier et al.

(a) Ste	ep 1: Geochemical approach			
Required parameters: $C^{\rm E}_{\rm min}$ $C^{\rm E}_{\rm max}$ $D^{\rm E}$ $r_{\rm c}$	Eq. 1: $C^{\text{E}}(t) = C_{t}^{\text{E}} \frac{\frac{1}{z^{\text{E}} + r_{\text{e}}} + \left[\frac{\cos\left(\omega t - \arcsin\frac{\beta^{\text{E}}}{\sqrt{\beta^{\text{E}^{2}}_{+}(z^{\text{E}} + r_{\text{e}})^{2}}}\right)}{\sqrt{\beta^{\text{E}^{2}_{+}(z^{\text{E}} + r_{\text{e}})^{2}}}\right]}{\frac{1}{1 + r_{\text{e}}} + \left[\frac{\cos\left(\omega t - \arcsin\frac{\beta^{\text{E}}}{\sqrt{\beta^{\text{E}^{2}_{+}(1 + r_{\text{e}})^{2}}}}\right)}{\sqrt{\beta^{\text{E}^{2}_{+}(1 + r_{\text{e}})^{2}}}}\right]$			
f	With Eq. 2: $z^{\text{E}} = \frac{D^{\text{E}}}{D^{\text{E}}(1-f)+f}$			
<b>Results:</b> $\beta^{E}$ , $\beta_{av}$ and $C_{i}^{E}$				
(b) St	ep 2: Temporal approach			
Required parameters:	Eq. 3: $\alpha = \frac{2[q_i]}{(Q_{max}-Q_{min})\sqrt{\beta_{av}^2 + (1+r_e)^2}}$			
$\beta_{av}$ [ $q_i$ ]	Eq. 4: $T = \frac{2\pi}{\alpha \beta_{av}}$			
$r_{\rm e}$ $Q_{\rm max}$ - $Q_{\rm min}$	Eq. 5: $\tau = \frac{1}{\alpha(1+r_e)}$ Eq. 6: $Q(t) = \frac{[q_i]}{\alpha(1+r_e)} + \frac{[q_i] \cos\left[\frac{2\pi}{T} t - \arcsin\left(\frac{\beta_{av}}{\sqrt{\beta_{av}^2 + (1+r_e)^2}}\right)\right]}{\sqrt{\alpha^2(1+r_e)^2 + [\frac{2\pi}{T}]^2}}$			
	<b>Results:</b> $\alpha$ , <i>T</i> , $\tau$ , and <i>Q</i>			

Figure 4 Cordier et al.



Cordier et al. Figure 5



Cordier et al. Figure 6