

## Hybrid multi-grids simulations of Ganymede's magnetosphere

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- Ganymede is a unique object : • **Biggest moon** of our solar system • Only satellite which has its own intrinsic magnetic field leading to the formation of a small magnetosphere • Magnetosphere of Ganymede is embedded in the Jovian magnetosphere : only known case of interaction between • two magnetospheres (Kivelson et al. 1996).

- Formation of **Alfvèn wings**

## **2- Description of the model**

 $dx_s$ 

----=v

- Hybrid formalism : • lons have a kinetic description and are represented by macroparticles that have a mass, a charge and a weight (=number of physical particles that represents the macroparticle)
- e<sup>-</sup> described as an inertialess fluid to ensure the quasi-neutrality of the plasma. Represented by a Maxwelian distribution.

Maxwell's equations used in the model :  
(1) Conservation magnetic flux equation  
$$\nabla \cdot B = 0$$

$$\nabla \times E = \frac{-\partial B}{\partial t}$$
 (2) Faraday's equation

$$\nabla \times B = \mu_0 (J_e + J_i) + \mu_0 \varepsilon_0 \frac{\partial E}{\partial t}$$
 (3) Ampere's equation

Negligible since we consider only low frequencies phenomena

### Numerical model :

- Current Advance Method and Cyclic Leapfrog (CAM-CL)
- Matthews et al. 1994
- Considerable reduction of time computation
- Multiple ion species treated with **only one pass** through the
- particle data



# lybrid multi-grids simulations of Ganymede's magnetosphere

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#### **1- Abstract**

Motion of the ions :

 $\frac{dv_s}{dt} = \frac{q_s}{m_s} (E + v_s \times B)$ 

$$n_e m_e \frac{du_e}{dt} = 0 = -en_e (E + u_e \times B) - \nabla \cdot \overline{\overline{P}_e}$$
<sup>(4)</sup>

(4)+(3) = 
$$E = \frac{-J \times B}{\rho} + \frac{(\nabla \times B) \times B}{\mu_0 \rho} - \frac{\nabla p_e}{\rho}$$

- Ions : Motion equations integrated with a leapfrog scheme
- The model is parallelized with MPI (Message Passing Interface) thanks to domain decomposition methods

Interaction modeled by a 3D parallel multi-species hybrid model based on a CAM-CL algorithm (Mathews et al. 1994) : • Generic model applied to Mars (Modolo et al. 2005; 2006 and 2012), Titan (Modolo et al. 2007, Modolo and Chauteur 2008) or Mercury (Richer et al. 2012).

• Maxwell's equations are solved to compute the temporal evolution of electromagnetic field. • Description of the the dynamics of the magnetospheric plasma and Ganymede's ionospheric plasma • Simulations results are presented and compared to magnetometer and particle observations obtained during G1 and G2 Galileo flybys.

### Incident plasma parameters (from G1 flyby) : • Flow velocity : 140km/s (Williams et al. 1997) • Electron density : 4cm<sup>-3</sup> (Galileo PWS,

- Gurnett et al. 1996)
- 2 ion species :  $O^+(3,47 \text{ cm}^{-3})$  and  $H^+(0,53 \text{ cm}^{-3})$
- (Kivelson et al. 2006; Cooper et al. 2001)
- Jovian magnetic field (KK97 model, Khurana, 1997) B=(0,-79,-79) nT
- Ganymede's ionosphere :
- O<sup>+</sup> (5000cm<sup>-3</sup> at the surface, from our hypothesis) • H=125km (Paty and Winglee 2004)
- <u>Ganymede's magnetosphere :</u>
- About 720 nT at the equator (Kivelson et al. 2002)
- Magnetic dipole implemented at initialization
- distortion leading to the formation of a magnetosphere

### **3- Ingredients of the model**



#### **4- Numerical parameters**

• Fields and particle moments computed on a cartesian grid Simulation box size : -12  $R_G < X < 6 R_G$ ; -18  $R_G < Y < 18 R_G$ ; -27  $R_G < Z < 27 R_G$ 

# 2) Multi-grids - $\Delta x=120$ km at close vicinity of Ganymede (6,3 R<sub>G</sub>×11 R<sub>G</sub>×11 R<sub>G</sub>) - 240 km elsewhere

- Simulation time = 200 O<sup>+</sup> gyromotions ; dt=0.005 $\Omega^{-1}$ <sub>O+</sub>

#### Conclusions:

- Importance of kinetic effets (ion gyromotion)
- Importance of the multi-species aspect
- Results improved by spatial resolution refinement
- Good agreement between our model and Galileo measurements Perspectives:
- Add species in the ionosphere
- Add charge exchange reactions, photoproduction, electron impact ionization • Compute ion precipitating flux at surface
- Couple with our 3D multi-species parallel exospheric model based on Monte Carlo methods (Turc et al., 2014). See Figure 6. Couple with our ionospheric model (Leblanc et al., in prep). See Figure 7.



Fig 6: H2O density in subsolar/antisolar and terminator planes





Multi-grids method described in Leclercq et al., JCP, 2015

#### 6- Conclusions and perspectives