

Hybrid multi-grids simulations of Ganymede's magnetosphere

Ludivine Leclercq, Ronan Modolo, François Leblanc

▶ To cite this version:

Ludivine Leclercq, Ronan Modolo, François Leblanc. Hybrid multi-grids simulations of Ganymede's magnetosphere. AGU Fall Meeting 2015, Dec 2015, San Francisco, United States. pp.SM31B-2492. insu-01250873

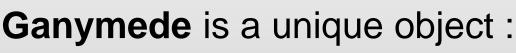
HAL Id: insu-01250873 https://insu.hal.science/insu-01250873

Submitted on 14 Jan 2016 $\,$

HAL is a multi-disciplinary open access archive for the deposit and dissemination of scientific research documents, whether they are published or not. The documents may come from teaching and research institutions in France or abroad, or from public or private research centers. L'archive ouverte pluridisciplinaire **HAL**, est destinée au dépôt et à la diffusion de documents scientifiques de niveau recherche, publiés ou non, émanant des établissements d'enseignement et de recherche français ou étrangers, des laboratoires publics ou privés.







- Ganymede is a unique object : • **Biggest moon** of our solar system • Only satellite which has its own intrinsic magnetic field leading to the formation of a small magnetosphere • Magnetosphere of Ganymede is embedded in the Jovian magnetosphere : only known case of interaction between • two magnetospheres (Kivelson et al. 1996).

- Formation of **Alfvèn wings**

2- Description of the model

 dx_s

----=v

- Hybrid formalism : • lons have a kinetic description and are represented by macroparticles that have a mass, a charge and a weight (=number of physical particles that represents the macroparticle)
- e⁻ described as an inertialess fluid to ensure the quasi-neutrality of the plasma. Represented by a Maxwelian distribution.

Maxwell's equations used in the model :
(1) Conservation magnetic flux equation
$$\nabla \cdot B = 0$$

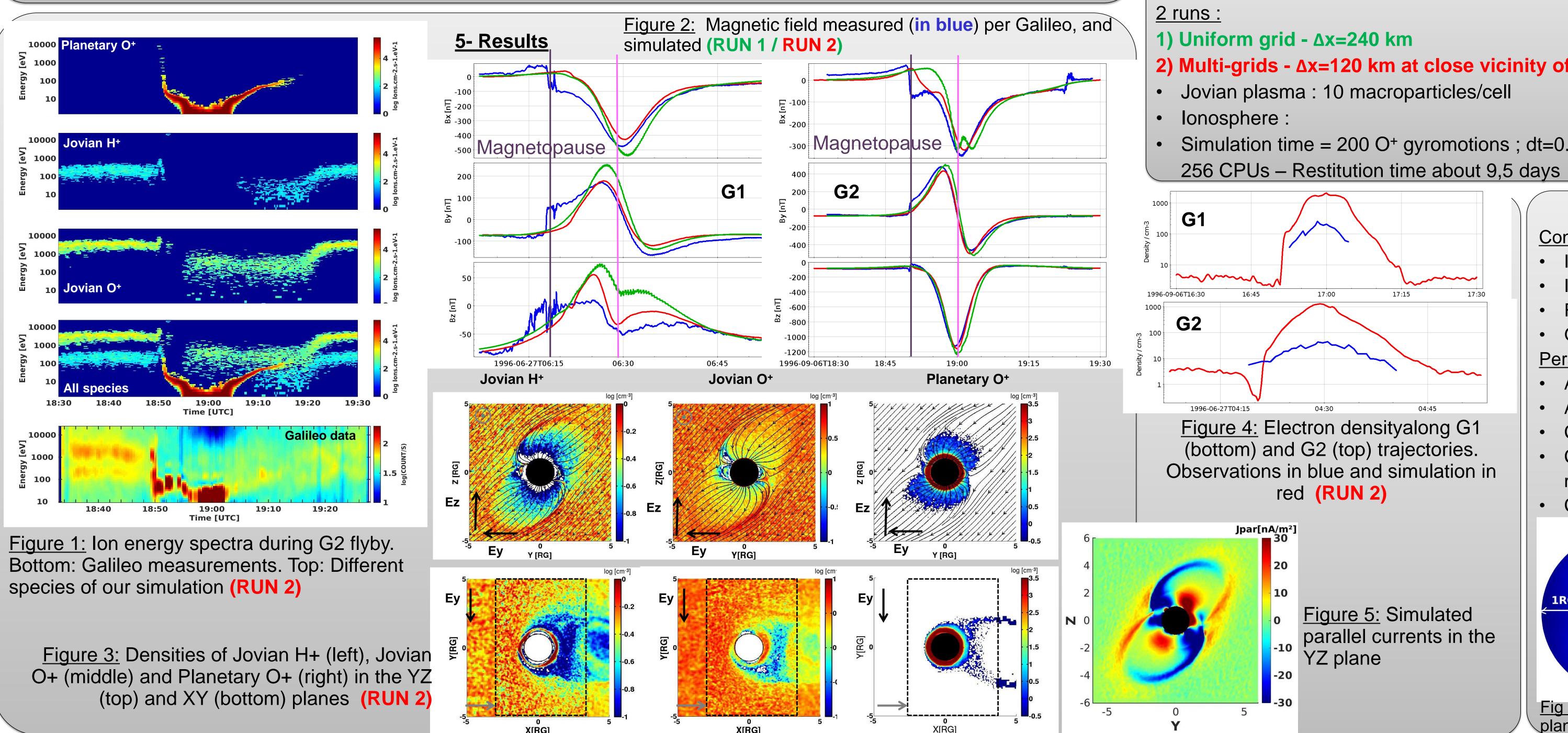
$$\nabla \times E = \frac{-\partial B}{\partial t}$$
 (2) Faraday's equation

$$\nabla \times B = \mu_0 (J_e + J_i) + \mu_0 \varepsilon_0 \frac{\partial E}{\partial t}$$
 (3) Ampere's equation

Negligible since we consider only low frequencies phenomena

Numerical model :

- Current Advance Method and Cyclic Leapfrog (CAM-CL)
- Matthews et al. 1994
- Considerable reduction of time computation
- Multiple ion species treated with **only one pass** through the
- particle data



lybrid multi-grids simulations of Ganymede's magnetosphere

Ludivine Leclercq¹, Ronan Modolo^{1,2}, Francois Leblanc¹

1. LATMOS / IPSL / CNRS-INSU, Paris, France. 2. Université de Versailles St Quentin, Guyancourt, France.

1- Abstract

Motion of the ions :

 $\frac{dv_s}{dt} = \frac{q_s}{m_s} (E + v_s \times B)$

$$n_e m_e \frac{du_e}{dt} = 0 = -en_e (E + u_e \times B) - \nabla \cdot \overline{\overline{P}_e}$$
⁽⁴⁾

(4)+(3) =
$$E = \frac{-J \times B}{\rho} + \frac{(\nabla \times B) \times B}{\mu_0 \rho} - \frac{\nabla p_e}{\rho}$$

- Ions : Motion equations integrated with a leapfrog scheme
- The model is parallelized with MPI (Message Passing Interface) thanks to domain decomposition methods

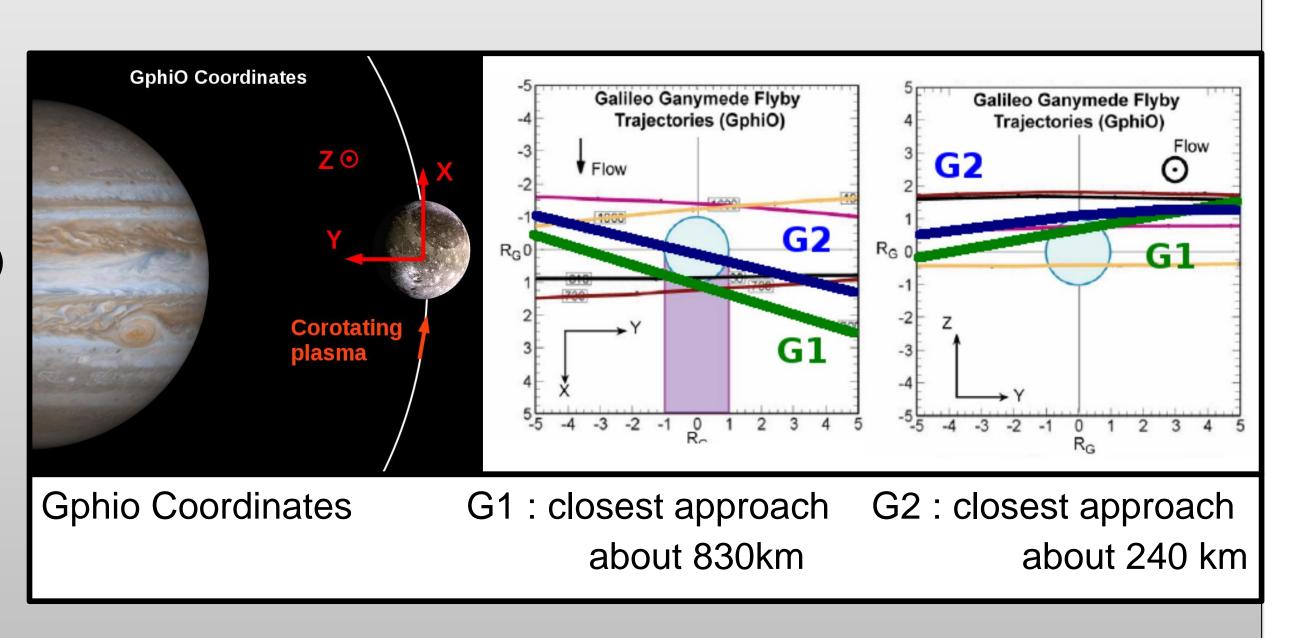
Interaction modeled by a 3D parallel multi-species hybrid model based on a CAM-CL algorithm (Mathews et al. 1994) : • Generic model applied to Mars (Modolo et al. 2005; 2006 and 2012), Titan (Modolo et al. 2007, Modolo and Chauteur 2008) or Mercury (Richer et al. 2012).

• Maxwell's equations are solved to compute the temporal evolution of electromagnetic field. • Description of the the dynamics of the magnetospheric plasma and Ganymede's ionospheric plasma • Simulations results are presented and compared to magnetometer and particle observations obtained during G1 and G2 Galileo flybys.

Incident plasma parameters (from G1 flyby) : • Flow velocity : 140km/s (Williams et al. 1997) • Electron density : 4cm⁻³ (Galileo PWS,

- Gurnett et al. 1996)
- 2 ion species : $O^+(3,47 \text{ cm}^{-3})$ and $H^+(0,53 \text{ cm}^{-3})$
- (Kivelson et al. 2006; Cooper et al. 2001)
- Jovian magnetic field (KK97 model, Khurana, 1997) B=(0,-79,-79) nT
- Ganymede's ionosphere :
- O⁺ (5000cm⁻³ at the surface, from our hypothesis) • H=125km (Paty and Winglee 2004)
- <u>Ganymede's magnetosphere :</u>
- About 720 nT at the equator (Kivelson et al. 2002)
- Magnetic dipole implemented at initialization
- distortion leading to the formation of a magnetosphere

3- Ingredients of the model



4- Numerical parameters

• Fields and particle moments computed on a cartesian grid Simulation box size : -12 $R_G < X < 6 R_G$; -18 $R_G < Y < 18 R_G$; -27 $R_G < Z < 27 R_G$

2) Multi-grids - $\Delta x=120$ km at close vicinity of Ganymede (6,3 R_G×11 R_G×11 R_G) - 240 km elsewhere

- Simulation time = 200 O⁺ gyromotions ; dt=0.005 Ω^{-1} _{O+}

Conclusions:

- Importance of kinetic effets (ion gyromotion)
- Importance of the multi-species aspect
- Results improved by spatial resolution refinement
- Good agreement between our model and Galileo measurements Perspectives:
- Add species in the ionosphere
- Add charge exchange reactions, photoproduction, electron impact ionization • Compute ion precipitating flux at surface
- Couple with our 3D multi-species parallel exospheric model based on Monte Carlo methods (Turc et al., 2014). See Figure 6. Couple with our ionospheric model (Leblanc et al., in prep). See Figure 7.

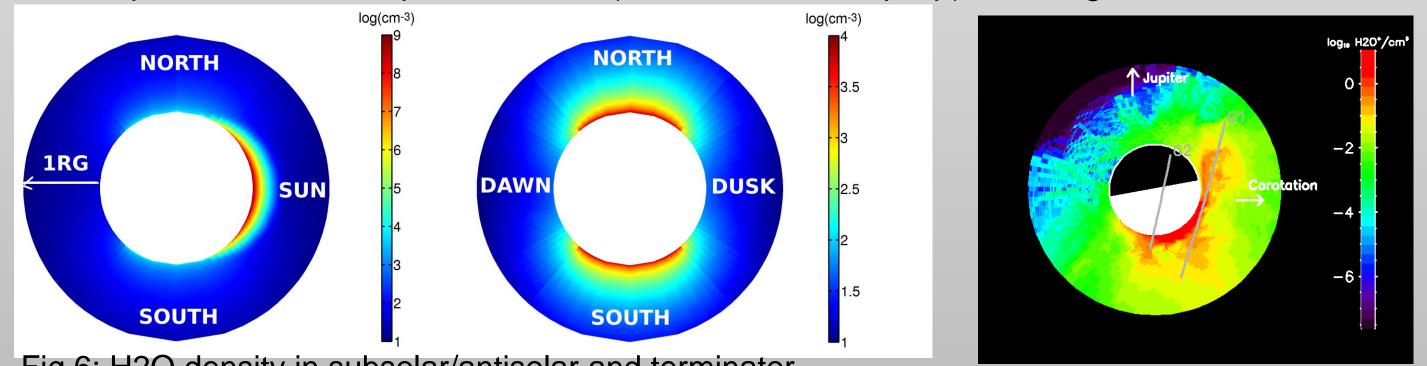
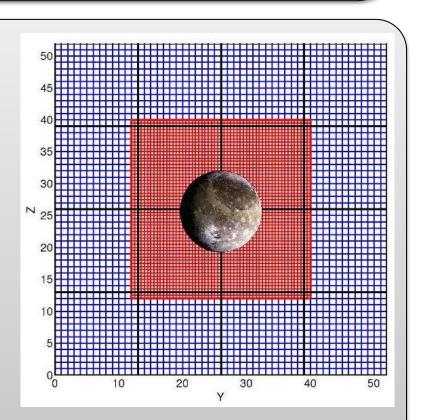


Fig 6: H2O density in subsolar/antisolar and terminator planes





Multi-grids method described in Leclercq et al., JCP, 2015

6- Conclusions and perspectives