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► To cite this version:

V Barra, V Delouille, Matthieu Kretzschmar, Jean-François Hochedez. Fast and robust segmentation of solar EUV images: algorithm and results for solar cycle 23. *Astronomy and Astrophysics - A&A*, 2009, 505, pp.361-371. 10.1051/0004-6361/200811416 . insu-01253569

HAL Id: insu-01253569

<https://insu.hal.science/insu-01253569v1>

Submitted on 11 Jan 2016

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Fast and robust segmentation of solar EUV images: algorithm and results for solar cycle 23

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Received 25 November 2008 / Accepted 4 June 2009

ABSTRACT

Context. The study of the variability of the solar corona and the monitoring of coronal holes, quiet sun and active regions are of great importance in astrophysics as well as for space weather and space climate applications.

Aims. In a previous work, we presented the spatial possibilistic clustering algorithm (SPoCA). This is a multi-channel unsupervised spatially-constrained fuzzy clustering method that automatically segments solar extreme ultraviolet (EUV) images into regions of interest. The results we reported on SoHO-EIT images taken from February 1997 to May 2005 were consistent with previous knowledge in terms of both areas and intensity estimations. However, they presented some artifacts due to the method itself.

Methods. Herein, we propose a new algorithm, based on SPoCA, that removes these artifacts. We focus on two points: the definition of an optimal clustering with respect to the regions of interest, and the accurate definition of the cluster edges. We moreover propose methodological extensions to this method, and we illustrate these extensions with the automatic tracking of active regions.

Results. The much improved algorithm can decompose the whole set of EIT solar images over the 23rd solar cycle into regions that can clearly be identified as quiet sun, coronal hole and active region. The variations of the parameters resulting from the segmentation, i.e. the area, mean intensity, and relative contribution to the solar irradiance, are consistent with previous results and thus validate the decomposition. Furthermore, we find indications for a small variation of the mean intensity of each region in correlation with the solar cycle.

Conclusions. The method is generic enough to allow the introduction of other channels or data. New applications are now expected, e.g. related to SDO-AIA data.

Key words. techniques: image processing – Sun: corona – Sun: activity – Sun: rotation – Sun: UV radiation

1. Introduction

Solar extreme ultraviolet (EUV) flux plays a major role in Solar-Terrestrial relationships since it is the main source of the diurnal ionosphere. Understanding its variability is thus an important issue for space weather and climate applications. Towards this goal, an accurate monitoring of coronal holes (CH), quiet sun (QS) and active regions (AR) would provide a key element e.g. in building a solar EUV flux model. Moreover, catalogs of ARs and CHs in the EUV are desirable. Indeed, a catalog of ARs describing key parameters such as their location, shape, area, mean and integrated intensity, or more complex parameters such as the fractal dimension would allow one to relate those properties to the occurrence of flares. On the other hand, a catalog of CHs would allow one to compare their properties to those of fast solar wind streams.

In this paper, we propose a method that separates at the same time the CH, AR, and QS, thereby providing a monitoring of the three zones. We show how the algorithm can produce catalogs of regions of interests. Our procedure is based on fuzzy clustering. It is fast, stable in time and space, allows for multichannel inputs, and separates in an optimal way coronal holes, quiet sun and active regions even though the boundaries of these regions are not always well defined.

The problem of coronal image segmentation in general and the detection and tracking of regions of interest in solar images in particular has been addressed in many ways in the last decade. Following the classical dichotomy of image segmentation methods, we briefly review the main approaches in three broad categories: region-based methods, edge-based methods and hybrid approaches.

Region-based methods seek a partition of the image satisfying an homogeneity criterion (on mono-, multi-spectral gray levels or higher level attributes such as texture or feature vectors modeling pixels and their neighborhood). Several processes of this family have been successfully applied in solar image processing, including simple or dynamical thresholding techniques, possibly linked to post processings using e.g. mathematical morphology, for the detection of sunspots (Steinegger et al. 1997; Pettauer & Brandt 1997), active regions (Steinegger et al. 1998), bright points (Brajsa et al. 2001), filaments and plage regions (Bornmann et al. 1996; Wagstaff et al. 2003), photospheric structures (Berrili et al. 2005; Ortiz 2005) or chromospheric structures (Worden et al. 1999); region growing methods for the segmentation of filaments (Gao et al. 2002; Abouadarham et al. 2008), sunspots (Preminger et al. 1997; Zharkov et al. 2004) active regions (Hill et al. 2001; Benkhalil et al. 2003) and coronal holes when coupled with a watershed approach

(Nieniewski 2002); or classification schemes in some relevant feature space, in their Bayesian interpretation (Turmon et al. 2002), supervised (Zharkova & Schetinin 2003; Dudok de Wit 2006) or unsupervised (Barra et al. 2005) version.

The dual edge-based approaches aim at characterising image discontinuities, and thus locating region boundaries. Primal edge-based methods look for the maximum of intensity gradients, using either spatial or frequency filters, or zeros in the Laplacian of the image, often pre processed by a low pass Gaussian filtering, due to the Laplacian sensitivity to noise. Such methods have been used for the extraction of umbral and penumbral areas of sunspots, (Steinegger et al. 1997) or for the automatic segmentation of flares from $H\alpha$ full-disk images (Veronig et al. 2000), or simply as pre-processing techniques for image enhancement, before e.g. a region-growing procedure allowing an efficient segmentation of filaments in $H\alpha$ spectroheliograms (Fuller et al. 2005). Some extended and dedicated edge-based methods have also been proposed, using for example the Hough transform (Robbrecht et al. 2006) or a multiscale edge detector (Young et al. 2003).

The hybrid methods either consider a cooperation between region and contour approaches (Veronig et al. 2001), or process some other original method such as simulated annealing (Bratsolis & Sigelle 1998), multiscale approaches such as the ‘‘a trous’’ algorithm (Portier-Fozzani et al. 2001) or the continuous wavelet transform (Antoine et al. 2002), multiresolution schemes allowing a fast and accurate segmentation of filaments (Qahwaji 2003).

This paper builds upon a previous work (Barra et al. 2005, 2008), where we presented the first spatial possibilistic clustering algorithm (SPoCA). This is a multi-channel unsupervised spatially-constrained fuzzy clustering method that segments EUV images into regions of interest. Although the results we reported on EIT images (Delaboudiniere et al. 1995) taken from February 1997 until May 2005 were interesting and globally consistent with previous works, we noted several artifacts induced by the method itself: misclassification of some pixels (particularly those located in the surroundings of active regions and near the limb), complex shape of active region edges, and gathering of filaments and coronal holes in a single class. As a consequence, the time series extracted from the segmentation (such as the area occupied by AR, CH, and QS) also showed some artifacts and were difficult to interpret. Here, we propose a new fast and reliable segmentation of EUV images that overcomes the above mentioned limitations.

After recalling the original SPoCA algorithm in Sect. 2, we detail in Sect. 3 the improvements of our new algorithm: first, we present an oversegmentation scheme to optimally separate active regions from the quiet sun. Second, we propose a limb correction process to remove the discontinuity introduced by the enhanced brightness of the limb. Third, we show how to apply a regularization scheme for the edges of active regions. A sensor data fusion process is then introduced in order to separate filaments from coronal holes in the segmentation, and finally we show how to track regions of interest through time.

In Sect. 5, the new method is applied to the same dataset as in Barra et al. (2008). From the segmentation, we derived time series such as the area, mean intensity, and integrated intensity of AR, QS, and CH. An analysis of these time series is performed and compared to previous results from the literature.

2. Spatial possibilistic clustering algorithm (SPoCA)

The spatial possibilistic clustering algorithm (SPoCA) (Barra et al. 2008) is a fuzzy unsupervised clustering algorithm, allowing the fast and automatic segmentation of coronal holes (CH), quiet sun (QS) and active regions (AR) from multispectral solar EUV images. We only introduce here the notations necessary for this paper, and we refer the reader either to Barra et al. (2008) or to Appendix A which fully details the algorithm.

If each pixel $1 \leq j \leq N$ is described by a p -dimensional feature vector $x_j \in \mathbb{R}^p$, representing for example its gray-levels in the multispectral dataset, SPoCA is an iterative algorithm that searches for C compact clusters gathering in $X = \{x_j\}$ the x_j s by computing both a fuzzy partition matrix $U = (u_{ij})$, $1 \leq i \leq C$, $1 \leq j \leq N$, $u_{i,j} = u_i(x_j) \in [0, 1]$ being the membership degree of x_j to class i , and unknown cluster centers $B = (b_i \in \mathbb{R}^p, 1 \leq i \leq C)$.

The description of the segmentation process in terms of fuzzy logic was motivated by the facts that information provided by an EUV solar image is uncertain (Poisson and readout noise, cosmic ray hits) and subject to both observational biases (line-of-sight integration of a transparent volume) and interpretation (the apparent boundary between regions is a matter of convention). Size, shape, and precise location of areas of interest are then not easy to determine with only a single piece of information, and we capture this complexity through matrix U .

In this article, we chose $p = 2$, and x_j was set as the 2D-vector of pixel j whose components were the gray-level values of EIT 17.1 nm and 19.5 nm images, calibrated with *eit_prep*. The introduction of additional information (e.g. 28.4 nm image) is very easy through the concept of feature vector.

3. The new algorithm

Although results we reported on SoHO-EIT images taken from February 1997 until May 2005 were interesting and globally consistent with previous works, the original SPoCA method induced several problems in the final segmentation:

- areas surrounding the active regions were classified as quiet sun, mainly because the definition of AR only concerns their cores;
- the limb was always misclassified;
- the edges of the regions of interest were fractal-shaped;
- some false positives were observed, particularly in the CH class, where filaments were clustered as coronal holes.

To solve these problems, we propose a new algorithm embedding SPoCA, and which incorporates the improvements described below.

3.1. Limb correction

Since the solar corona is optically thin, and since the intensity in EUV images is obtained through an integration along the line of sight, there is a limb brightening effect in those images, which may hinder the segmentation process. Therefore, we first process the EUV images so as to lower the enhanced brightness and the discontinuity at the limb.

Some authors have studied the use of a limb brightening factor correction, assuming for example a hydrostatic, isothermal and spherical atmosphere (Andretta et al. 2003). We propose to first apply a polar transform to represent the image I in a (ρ, θ) plane, with the origin at the solar disc center. The polar transform

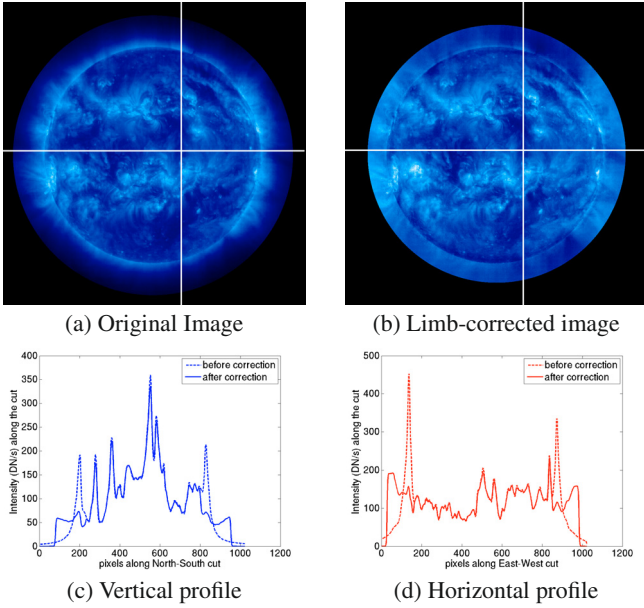


Fig. 1. **a)** Original image. The vertical line and the horizontal line show the location of profile. **b)** Image with limb brightness enhancement corrected. **c)** The intensity along the vertical profile before and after correction. **d)** The intensity along the horizontal profile before and after correction.

is a conformal mapping from points in the Cartesian plane (x, y) to points in this polar plane, described by $\rho = \sqrt{x^2 + y^2}, \theta = \text{atan}(y/x)$.

We then compute the integral $f(\rho) = \int_0^{2\pi} I(\rho, \theta) d\theta$, which specifies the intensity distribution as a function of ρ . Denoting m_{\odot} the median value of intensities on the on-disc part of the Sun, we propose to correct for the enhanced brightness at the limb as follows:

$$I_{\text{corr}}(\rho, \theta) = m_{\odot} \frac{I(\rho, \theta)}{f(\rho)}, \quad (1)$$

where I_{corr} is the corrected image, which is finally remapped in the Cartesian plane. Figure 1 illustrates the process on an image taken on August 03, 2000, in the 17.1 nm channel, with Fig. 1a (resp. Fig. 1b) showing the original (resp. the corrected) image. To better see the effect of the correction, we consider two profiles, one horizontal and one vertical in Fig. 1a. The N-S cuts, before and after correction of the limb brightness enhancement, are represented in Fig. 1c, while the E-W cuts are given in Fig. 1d.

3.2. Sursegmentation and optimal clustering

Image segmentation is a crucial step in many image processing applications, but it is difficult to assess whether one algorithm produces more accurate results than another, or to evaluate the optimal parameters of a given algorithm. The most common method for assessing the effectiveness of a segmentation method is subjective evaluation, in which an expert visually compares the segmentation results for different segmentation algorithms or different sets of parameters. This is often a tedious process which, moreover, intrinsically limits the evaluation to a relatively small number of cases. Another way to assess segmentation results is to use a supervised evaluation scheme, in which a segmented image is compared against a manually segmented (or a reference image), referred to as the ‘‘ground truth’’. Both

approaches are not feasible for our purpose. Indeed, we were primarily interested in finding the best number of clusters without having either a manual intervention (because of the large number of images to be processed) or a ground truth (inaccessible). We thus chose a sursegmentation method whose steps are outlined in Algorithm 1. Sursegmentation consists of segmenting the image into a number of classes strictly superior to the intuitively expected number of classes in the image, and then finding an aggregation criterion of the resulting partition that shows the relevant classes.

```

Data: A set  $S$  of multispectral images for a given day,
 $C_{\max}$  the sursegmentation parameter

Result:  $c_{\text{best}}$ 
 $[B, U]$  The optimal set of clusters

 $c = c_{\text{best}} = C_{\max}$ ;
//Compute the segmentation of  $S$  in  $c$  classes
 $[B, U] = \text{SPoCA}(S, c)$ ;
//Assess the quality of  $[B, U]$ 
 $Score = \text{ASSESS}(B, U)$ ;
while  $c > 2$  do
  //Find the best two clusters to be merged &
  //compute the resulting segmentation
   $[B_m, U_m] = \text{MERGE}(B, U)$ ;
  //Assess the quality of  $[B_m, U_m]$ 
   $Score_m = \text{ASSESS}(B_m, U_m)$ ;
  if  $Score_m < Score$  then
     $c_{\text{best}} = c - 1$ ;
     $Score = Score_m$ ;
   $B = B_m$ ;
   $U = U_m$ ;
   $c = c - 1$ ;

```

Algorithm 1: Optimal clustering algorithm.

This method finds the best gathering of points in the feature space X with respect to a cluster quality objective function. It thus relies on both an unsupervised, quantitative and objective evaluation of a clustering result, and on an analysis of the feature vectors spreading in X .

3.2.1. The ASSESS procedure

The literature offers a wide range of evaluation methods for both inter-segmenter comparisons (Borsotti et al. 1998; Chabrier et al. 2004; Sahoo et al. 1988; Weszka & Rosenfeld 1978; Zhang et al. 2008a) and cluster quality evaluation (Halkidi et al. 2001; Rezaee et al. 1998; Zhang et al. 2008b). We focused on and adapted here a cluster validity function to be minimized, first proposed by Xie & Beni (1991) (with the parameter $m = 2$) and generalized by Pal & Bezdek (1995)

$$V_{XB}(B, U, X) = \frac{\sum_{i=1}^C \sum_{j=1}^N u_{ij}^m \|x_j - b_i\|^2}{N \min_{i,j} \|b_i - b_j\|^2} = \frac{S}{\sigma}.$$

This validity index focused on geometrical properties of the clusters in the feature space, through two quantitative indexes:

- separation $\sigma = \min_{i,j} \|b_i - b_j\|^2$,
- compactness $S = \sum_{i=1}^C \sum_{j=1}^N u_{ij}^m \|x_j - b_i\|^2 / N$.

Noting that $S = J_{\text{FCM}}(B, U, X)/N$, where J_{FCM} is the functional minimized in the classical Fuzzy-C-Means algorithm (Bezdek et al. 1997), we adapted V_{XB} to SPoCA, and according to the notations defined in Appendix A, we then defined

$$V(B, U, X) = \frac{J_{\text{SPoCA}}(B, U, X)/N}{\sigma} \quad (2)$$

$$= \frac{\sum_{i=1}^C \left(\sum_{j=1}^N u_{ij}^m \sum_{k \in N_j} \beta_k d(\mathbf{x}_k, \mathbf{b}_i) + \eta_i \sum_{j=1}^N (1 - u_{ij})^m \right)}{N \min_{i,j} \|b_i - b_j\|^2}. \quad (3)$$

The numerator $J_{\text{SPoCA}}(B, U, X)/N$ of (3) indicates the compactness of the fuzzy partition, while the denominator indicates the strength of the separation between clusters.

Note that a good partition may produce a small value for the compactness, and that well-separated b_i s will produce a high value for the separation. Hence in order to produce the best clustering performance for the data set X , an optimal number of clusters can be found by solving the optimization problem:

$$c^* = \text{Arg} \min_{2 \leq c \leq N-1} V(B, U, X).$$

The upper bound $N - 1$ on the value of the number of cluster c corresponds to the trivial case where each feature vector is treated as a cluster. This upper bound may be replaced with an application-driven empirical bound C_{max} , as proposed in the algorithm depicted in Fig. 1.

3.2.2. The MERGE procedure

Compactness and separation can also be processed for each cluster i separately. An individual validity index can be defined for each cluster by:

$$V_i(B, U, X) = \frac{\sum_{j=1}^N u_{ij}^m \sum_{k \in N_j} \beta_k d(\mathbf{x}_k, \mathbf{b}_i) + \eta_i \sum_{j=1}^N (1 - u_{ij})^m}{N \min_j \|b_i - b_j\|^2}.$$

The merging process then consists of aggregating the two closest clusters having the largest (i.e. worst) individual validity index. These clusters are geometrically defined either by a huge spreading of their points and/or a close distance to their immediate neighbors.

Figures 2 and 3 present results of this algorithm on a 19.5 nm image, taken on August 03, 2000 during maximal activity (denoted as I_2 in the following) with $C_{\text{max}} = 6$ (including background).

3.3. Smoothing of region edges

Previous works (McAteer et al. 2005; Benkhalil et al. 2005; Meunier 1999) showed that any segmentation of active regions based on thresholds only creates edges whose shape are very dependent on the value of the chosen threshold. In Barra et al. (2008), we proposed a first alternative to improve the AR edge shape by incorporating a spatial regularization term. Results however were sometimes of poor quality (Fig. 4a), because of the smooth transitions between AR and their surroundings, which generates fractal-shaped edges.

Hence we propose to automatically post-process our segmentation results using morphological operations, see

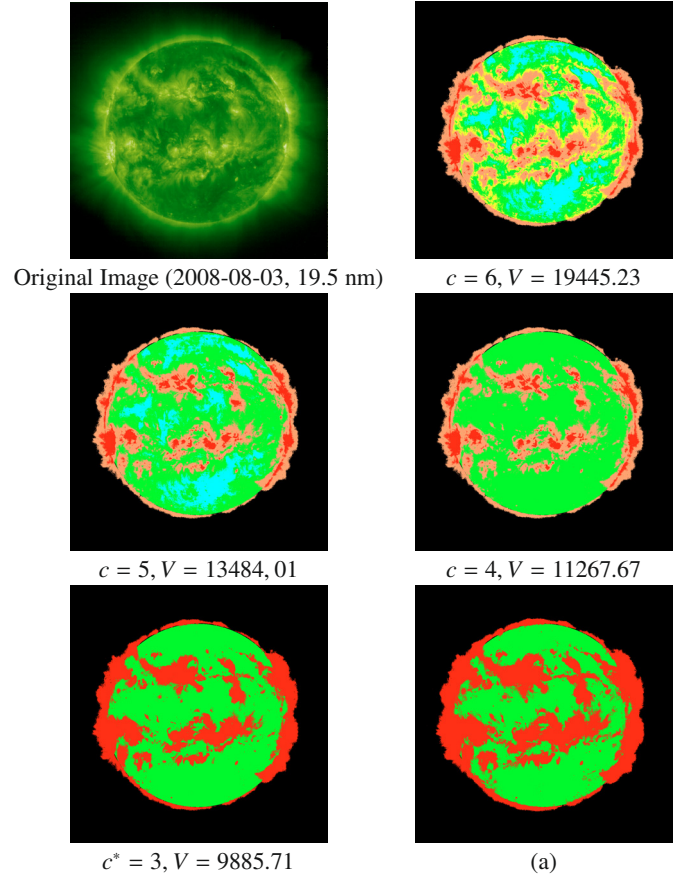


Fig. 2. Sursegmentation and merging process, illustrated on image I_2 . The limb correction was not applied, both to compare results with Barra et al. (2008) and to see the impact of optimal clustering on the final result. **a)** shows the direct SPoCA segmentation with 3 classes.

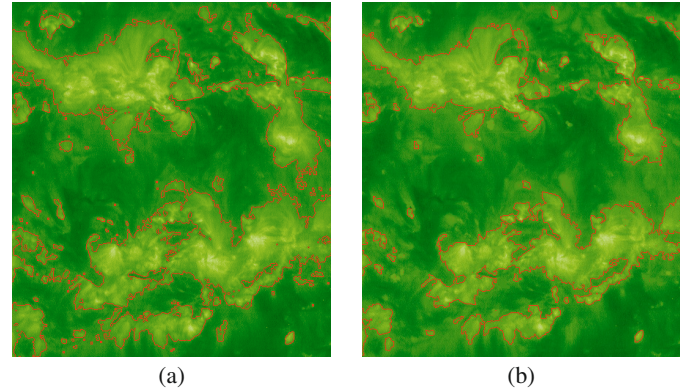


Fig. 3. Direct SPoCA segmentation with 3 classes **a)** and improved **b)** segmentation, illustrated on AR edges in image I_2 (detail).

Serra (1983). More precisely, we applied to the initial contour a conditional morphological opening, with a circular isotropic element of size one (see Appendix B for an introduction to mathematical morphology). If I_{AR} is the image of AR edges stemming from the segmentation of image I , the conditional morphological opening preserves the general shape of AR, and the main geometric structures of AR edges, while smoothing the contours in I_{AR} , cutting the narrow ismuthes, and suppressing the small islands and the sharp capes of AR, see Fig. 4b. The conditional property moreover ensures that the final edge contains pixels whose gray levels are all within the same range of values.

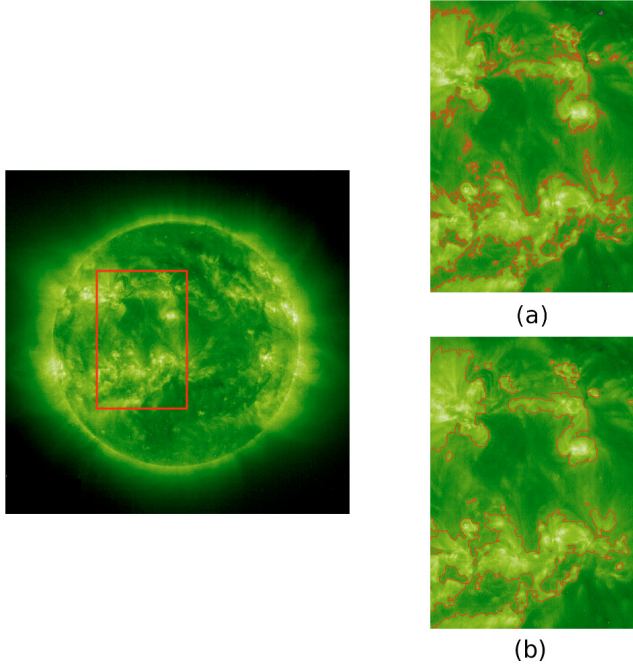


Fig. 4. Edge smoothing on image I_2 . The segmentation of the region of interest is magnified without **a)** and with **b)** the smoothing process.

3.4. Accurately segmenting the coronal holes: using a sensor data fusion process

Separating CH from a filament using EUV intensity only is a challenging task, since both zones have similar temperature, and similar emissivity. Since SPoCA relies here on intensity values only, both CH and filaments have the same signature as defined by the algorithm. The resulting “CH” fuzzy map then contains both CH zones and filaments. Separating CH from filaments in this map cannot be performed easily, even with the addition of some topological and morphological constraints that take into account information such as filaments being thin elongated structures.

We propose here a non-real time solution for the accurate segmentation of CH, using a sensor data fusion process. Given a daytime t and a corresponding set of EIT images I_t (Fig. 5a), an H-alpha image from the Kanzelhöhe observatory taken at t (Fig. 5b) was used to accurately separate filaments from the CH map. Images were roughly spatially registered, using information extracted from their header, by first translating the center of the Sun, then by scaling with respect to the ratio of solar radius. The H-alpha image was then processed to extract filaments (Fig. 5c). Since filaments are dark, well contrasted and thin-elongated structures in this image, a simple method was proposed that allows a fast and reproducible segmentation. We first compute a mean curvature image, by assessing for each pixel (x, y) the trace of the local Hessian matrix $H(x, y)$. A simple empirical threshold (set as 80% of the maximum mean curvature) then allows us to select points with high curvatures, and a search for connected components was begun to suppress isolated pixels. A region growing procedure was finally applied on the resulting image to highlight filaments, which were then reported on the CH fuzzy map. Finally, a region growing technique was applied on the CH fuzzy map to fully extract these components.

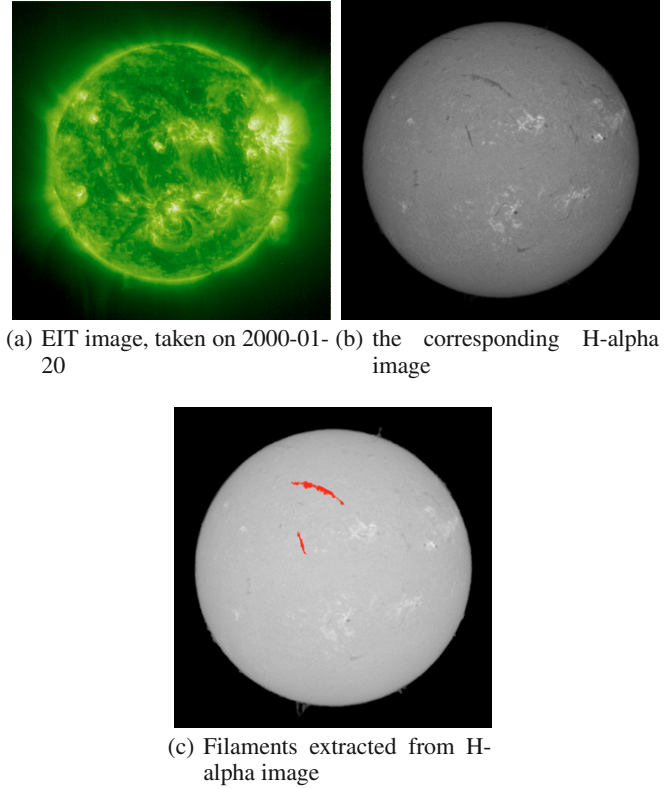


Fig. 5. The sensor data fusion process and the extraction of filaments from the CH fuzzy map.

3.5. Automatic tracking of regions of interest

Since the new version of the SPoCA allows us to accurately segment the regions of interest, we propose to extend this algorithm to the automatic tracking of any region of interest in the on-disc part of the Sun. We illustrate this extension with the automatic tracking of active regions. The idea of the algorithm is to find connected components in a AR fuzzy map, and to follow their mass center in subsequent images. The corresponding algorithm is given in Algorithm 2.

```

Data:  $(I_1 \dots I_N)$   $N$  EIT images
Result: Timeseries of parameters of the tracked AR

//Largest connected component on  $I_1$  AR fuzzy map
 $AR_1 = \text{FindLargestCC}(I_1^{AR});$ 
//Center of mass of  $AR_1$ 
 $G_1 = \text{ComputeCenterMass}(AR_1);$ 
for  $t=2$  to  $N$  do
    //Optical flow between  $I_{t-1}$  and  $I_t$ 
     $F_{t-1} = \text{opticalFlow}(I_{t-1}, I_t);$ 
    //New center of mass, given the field  $F_{t-1}$ 
     $G_t = \text{Forecast}(G_{t-1}, F_{t-1});$ 
    //Connected component in  $I_t$  AR fuzzy map,
    centered on  $G_t$ 
     $AR_t = \text{FindCC}(G_t);$ 
//Perform timeseries analysis of  $AR_1 \dots AR_t$ 
return  $\text{Timeseries}(AR_1 \dots AR_N);$ 

```

Algorithm 2: Active region tracking.

Suppose we want to track the biggest active region. Let I_t^{AR} denote the AR fuzzy map at date t ($t \in \{1 \dots N\}$). The

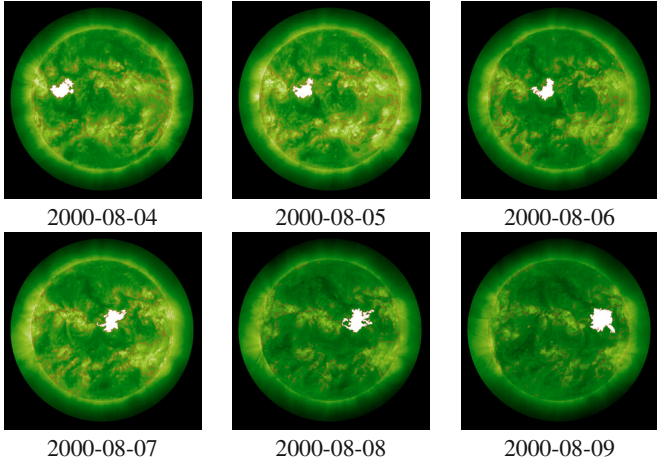


Fig. 6. Example of an AR tracking process. The tracking was performed on an active region detected on 2000-08-04 until 2000-08-09.

FindLargestCC procedure finds AR_t , the largest connected component (in pixels) in I_t^{AR} . The *FindCC* method is a growing region technique to process the connected region seeded with a given point. The *ComputeCenterMass* is an easy-to-compute isobarycenter, and the *Forecast* method applies a translation of a point with a given vector. More precisely, the center of mass G_{t-1} of AR_{t-1} is translated to G_t , such that the vector with start point G_{t-1} and end point G_t is equal to the displacement field, denoted v_G , observed at pixel G_{t-1} . The displacement field between images I_{t-1} and I_t is estimated with the *opticalFlow* procedure, which uses a multi-resolution Lucas and Kanade optical flow scheme (Lucas & Kanade 1981), see Appendix C. This procedure is simple and fast, and hence allows for a real-time tracking of AR.

Although we can suppose that because of the slow motion between I_{t-1} and I_t , G_t will lie in the trace of AR_{t-1} in I_t (and thus a region growing technique may be sufficient, directly starting from G_t in I_t), we use the optical flow for handling non successive images I_t and I_{t+j} , $j \gg 1$, and also for computing some velocity parameters of the active regions such as the magnitude, the phase, etc, and to allow the tracking of small regions of interest such as coronal bright points.

Figure 6 presents an example of an AR tracking on a sequence of images, taken from 2000-08-01 to 2000-08-10. This method is generic enough to be applicable to the tracking of any connected components of a fuzzy map: ARs, but also CHs of any size, or even bright points which can be extracted in the QS after a second iteration of the algorithm.

4. Dataset

We applied our segmentation procedure on a set of EIT images taken from February 14th 1997 until April 30th 2005, thus spanning more than 8 years of the 11-year solar cycle. During these 8 years, there were two extended periods without data: from 25 June up to 12 October 1998, and during the whole month of January 1999. Outside these two periods, we consider for almost every day one set of 2 images (17.1 nm, 19.5 nm) taken less than 30 min apart. These images do not contain telemetry missing blocks.

We analyze the on-disc part of these EIT images, which is defined as the disk centered on the Sun and having a radius equal to $1.3 R_\odot$, R_\odot being the solar radius. The images have been preprocessed using the standard *eit_prep* procedure of the *solar*

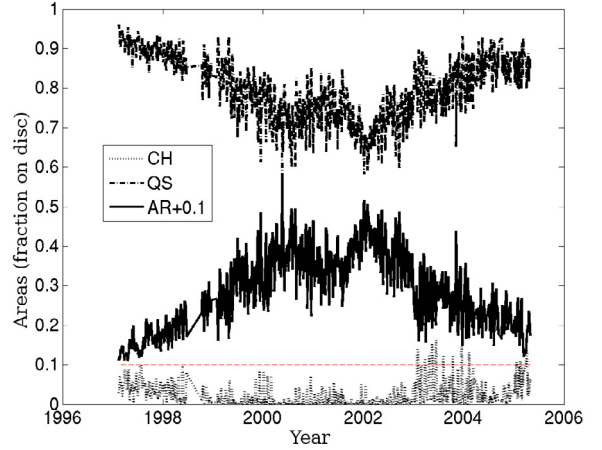


Fig. 7. Results of improved SPoCA: Areas covered by coronal holes (CH), quiet sun (QS), and active regions (AR).

software (*ssw*) library. They are photometrically corrected with the MgII index until May 2005. Image intensities were moreover normalized by their median value.

As in Barra et al. (2008), we compute several parameters of interest. From the multichannel segmentation, we obtain the area covered by each zone (CH, QS, AR), see Fig. 7. Next, for both the 17.1 nm and 19.5 nm channel, we compute the mean (Fig. 8) and integrated (Fig. 9) intensity of each zone. From the multichannel segmentation results (the CH, QS and AR maps behave as masks for both channels). Note that in order to ease the analysis of these time series, we use a cubic interpolation to replace the missing values.

5. Results and discussion

We first show the results of our improved segmentation on one image. We then analyse the time series built with the parameters extracted from the segmentation.

5.1. Segmented image

Figures 2 and 3 show the overlays of our multichannel segmentation procedures on image I_2 . They show the comparison between the segmentation proposed in Barra et al. (2008, 2005) and the improved segmentation described above.

One can see that in the new segmentation, the AR also contains the diffuse regions around them, and as a result the QS is not contaminated by the surroundings of the AR, as was the case in the first version of SPoCA. Moreover, since we correct for the limb discontinuity and perform segmentation up to $1.3 R_\odot$, we have a more complete and precise account of the area covered by the different zones.

5.2. Time series of segmented images

5.2.1. Variability analysis

We now analyse the variations over the solar cycle of the area, mean, and total intensity of the three zones.

We first look at the variation of the relative areas (normalized to the whole surface) in Fig. 7. These areas have been computed with the multichannel procedure, thus using the information at both 17.1 nm and 19.5 nm. In particular, the 19.5 nm channel contains hot temperature information (>10 MK). With no

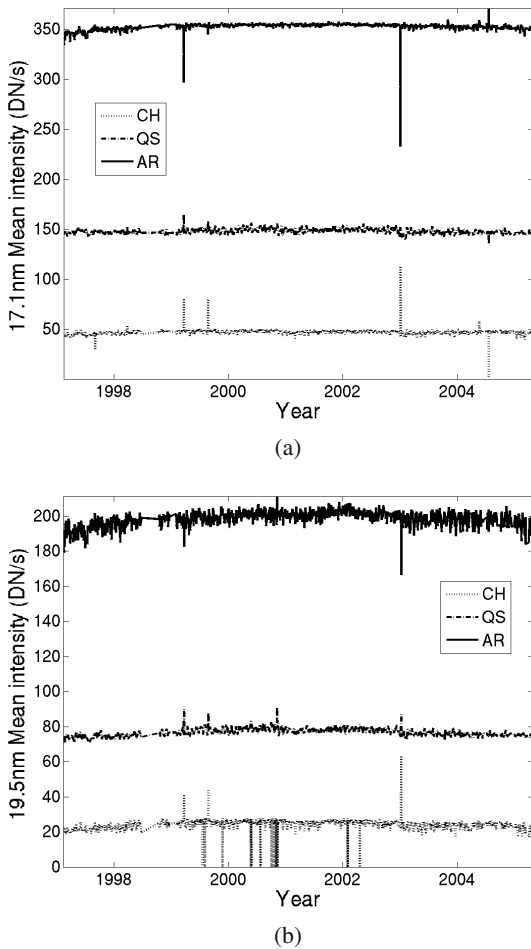


Fig. 8. Quantities computed from the improved SPoCA segmentation a) Mean intensity at 17.1 nm b) Mean intensity at 19.5 nm.

surprise, the area of solar surface occupied by active regions is positively correlated with the solar cycle. The area of coronal holes is small (<10%) but still exhibits an anti correlated behavior with respect to the solar cycle; indeed, the presence of many active regions restricts the possibility of regions with open field-lines. The area of the quiet sun is anti-correlated with that of active regions (the correlation coefficient is equal to -0.96). All areas exhibit a very strong modulation due to the solar rotation.

Next, the segmentation provided by the improved SPoCA can be used as a mask on 17.1 nm and 19.5 nm images to extract the integrated intensity and the mean for CH, QS and AR. Figure 9 shows the relative contributions of, respectively, quiet regions, coronal holes, and active regions integrated intensity to the whole solar flux, for the two bandpasses. Clearly, the coronal hole contribution is very small and becomes still smaller at the maximum of activity when active regions occupy most of the surface. The contribution of active regions ranges from almost zero at the minimum (even at low activity we find that about 10% of the solar surface looks “active”) to about 40% for 17.1 nm and 60% for 19.5 nm at the maximum. The stronger contribution of active regions at 19.5 nm reflects the fact that this line is emitted by a hotter plasma and is thus more sensitive to activity. It is noticeable that only at 19.5 nm, and only at the maximum of solar activity, does the contribution of active region become greater than 50% of the whole solar flux in this waveband.

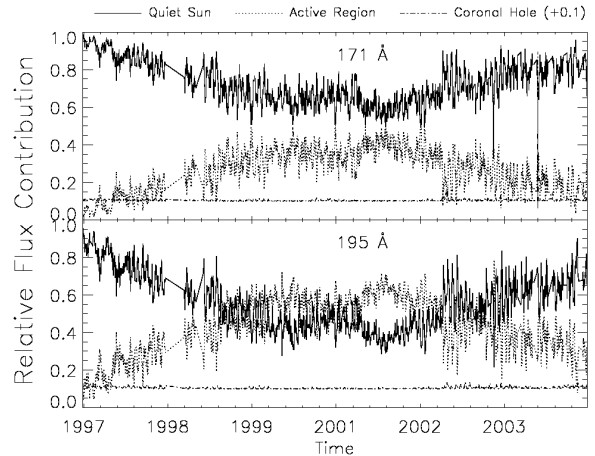


Fig. 9. Intensity of CH, QS and AR divided by the total flux, at 17.1 nm and at 19.5 nm.

Next, we evaluate the time variability along the solar cycle: we compute the variance of the integrated intensity for, respectively, CH, QS, and AR, and then the ratio of each of these variances to the total variance (defined as the sum of the three variances). These ratios reveal that AR contributes to 98% (resp. 91%) to the total time variability in the 19.5 nm (resp. 17.1 nm) bandpass. One may wonder if this variability is caused only by the appearance of active regions, or if other zones also exhibit an enhanced intensity. To investigate these issues, we study the variation of the mean intensity for the three regions.

A first look at the mean intensities of the quiet areas, the coronal hole and the active regions shows that they are constant over the solar cycle. The fact that the mean intensity of the three extracted features is roughly constant validates both the existence of these features over the solar cycle and our algorithm. In particular, it indicates that the regions we have found are well defined and that there is no contamination of active regions in the quiet area and coronal hole. It is also noticeable that the mean intensity of active region seems constant over the solar cycle. This is consistent with the idea that we can model the solar EUV variation by “decomposing” the solar surface into regions of various intensity. The intensity in quiet areas is about three times higher than in coronal holes, both at 17.1 nm and 19.5 nm. These values correspond to a contrast that is slightly larger than the factor two generally accepted (Vernazza & Reeves 1978), but since it is constant over the whole solar cycle we think it is a robust result. The ratio between the active and quiet region intensities equals on average 2.38 for 17.1 nm and 2.58 for 19.5 nm. Here again, these ratios do not change with the solar activity. The higher contrast for the 19.5 nm waveband reflects the fact that this line is formed by a hotter plasma.

However, a close-up look at these curves show a small variation for both lines and for the three regions, see Fig. 10, where the mean time series have been smoothed with a 27-day windows in order to remove the solar rotation periodic component. This variation is very similar both in amplitude and shape for the two lines and for QS and CH intensities, while it is slightly higher for ARs, see Fig. 9. Furthermore, and very interestingly, it is correlated with the solar cycle in all cases. For the QS and CH, an artefact could explain this increase: the ARs are more tightly constrained in the new SPoCA compared to the previous one. Thus, some material that was previously labeled as AR is now labeled as QS and CH and, as the solar cycle varies, what was

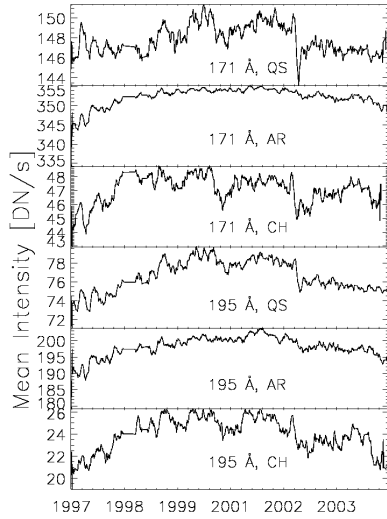


Fig. 10. Zoom on variation of the mean intensity. This small variation is correlated with the solar cycle for each zone. The curve was averaged using a 27-day windows.

previously thought of as AR material is being considered in the QS and CH classes. Indeed, the inspection of temporal evolution (not shown) of the area of the sub-classes that compose the quiet Sun (colored blue, green, and yellow in Fig. 2) reveals that the area of the yellow sub-class -which is the nearest to the actual active regions- increases with the solar activity, while the total quiet sun area decreases. This confirms the previous scenario as a possible explanation for the increase of the mean QS and CH intensity, while the increase of the mean intensity of ARs looks more real. However, it should be noted that the mean intensities of all the sub-classes, yellow one included, also exhibit the same small increase correlated with the solar cycle. This clearly needs to be confirmed by other studies but it suggests that the increase of the intensity is not strictly confined in active regions and that each point on the solar surface contributes to the whole irradiance enhancement. Such a result has been proposed by Schühle et al. (2000), but has not been confirmed since them; in particular Kretzschmar et al. (2004) has shown that it is difficult to identify rigorously a variation of the quiet-Sun intensities with the solar cycle because of the already high intrinsic variability of the quiet solar areas. Both studies were made with SOHO/SUMER data. The results presented here support the idea that the mean intensities of the quiet areas, at least as usually defined e.g. without removing bright points first, do increase with the increasing solar activity, and shows for the first time an increase of the coronal hole and active region intensities. Although this increase is best seen in the active regions, this could be caused by some kind of diffuse magnetic activity occurring everywhere and whose typical size (if any) is not resolved with the current resolution. For example this could be associated with some increase of “nanoflaring activity”, that is, an increase of the rate of small amplitude power law distributed reconnection events. However, since nanoflaring is not the only mechanism for coronal heating, another explanation for these observations could be that the dissipation by wave turbulence is stronger at solar maximum.

This contribution of each point remains small (a few percent: 3–4% for 17.1 nm and 5–10% for 19.5 nm) in comparison with the increasing number of active regions appearing on the solar surface with the solar cycle.

Table 1. Main periodicities (in days) of the area covered by coronal holes (CH), quiet sun (QS), and active regions (AR).

| Area in % | | | Mean 17.1 nm | | | Mean 19.5 nm | | |
|-------------|------|------|--------------|------|------|--------------|------|------|
| CH | QS | AR | CH | QS | AR | CH | QS | AR |
| 26.9 | 26.2 | 26.2 | 26.8 | 26.6 | 27.6 | 28.4 | 26.9 | 26.5 |
| | | 495 | 416 | | | | | |
| Sum 17.1 nm | | | Sum 19.5 nm | | | | | |
| CH | QS | AR | CH | QS | AR | | | |
| 27.1 | 27.2 | 26.0 | 27.1 | 28.3 | 25.9 | | | |

5.2.2. Periodicity analysis

In order to assess nonstationary phenomena and find periodicities in the time series of Figs. 7–9, we perform a Morlet wavelet analysis. The Morlet wavelet coefficients were computed with the toolbox *Yet Another Wavelet toolbox* (YAWtb) (<http://rhea.tele.ucl.ac.be/yawtb/>), while the cone of influence and contours indicating significant coefficients (assuming a red noise background) were obtained with the wavelet software provided by Torrence & Compo (1998).

We compute the global wavelet spectrum (or energy spectrum) by summing, for each periodicity τ , the modulus of wavelet coefficients present at τ . Local maxima of the energy spectrum then give the *characteristic* periodicities of the time series.

Within the cone of influence (COI), we look at significant wavelet coefficients at the 95% confidence level in order to determine the significant characteristic periodicities.

The main periodicities found with this method are related to the solar differential rotation, see Table 1. Apart from the case of mean intensity values in 17.1 nm, the periodicities found for ARs are smaller than for CH and QS. This is consistent with the general fact that ARs are located at lower latitudes than CHs, and hence turn faster.

Besides the solar rotation period, we found two other periodicities. First, the area of ARs shows between 2000 and 2003 a periodicity of 495 days (1.3 year), see Fig. 11a. This could be related to the 1.3y periodicity observed in sunspot time series in Krivova & Solanki (2002) in many datasets (including geophysics), or it might be a casual effect due to the presence of the two local maxima (around 2001 and 2002) in the corresponding time series. Second, we observe a 495 day period in the time series of AR area, and a transient periodicity of 416 days between 1999 and 2002 for the CH mean observed in 17.1 nm. These two periodicities might represent a multiple of the 26 days rotation period.

6. Conclusion and future work

We proposed in this paper a segmentation procedure for EUV images. Our algorithm is stable over time, corrects for limb brightening effects, computes an optimal clustering with respect to the regions of interest using a quality criterion, and proposes an accurate definition of the cluster edges.

We applied our procedure on 8 years of EIT data in order to separate AR, CH, QS, and we analyzed extracted time series of area, mean and integrated intensity evolution for each zone. Area and integrated intensity evolution is consistent with previous knowledge. In addition, we show that there exists a small variation of the mean intensity that is similar in shape and amplitude for the three zones, and that is correlated with the solar cycle. These results support the idea that the mean intensities

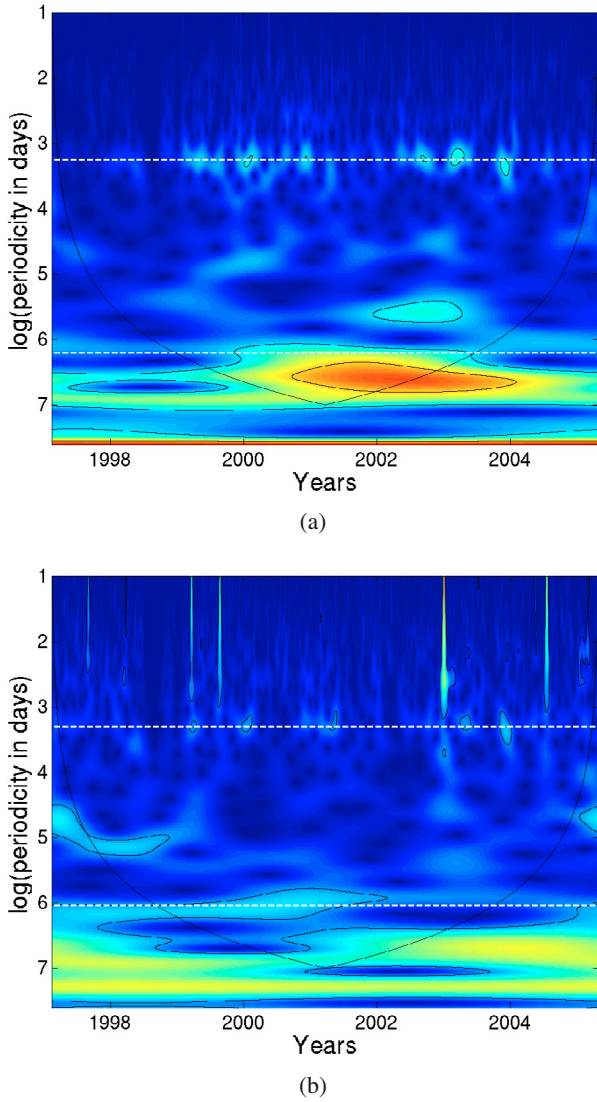


Fig. 11. Periodicity analysis for **a)** area of AR and **b)** mean intensity of CH in 17.1 nm. The white horizontal lines indicate the solar rotation period ($\log(\text{period}) \approx 3.3$), the 495-days period (in **a**) and the 416-days period (in **b**). 95% confidence level is shown by contour. Values outside the COI should be discarded.

of all solar areas increase with the increasing solar activity, although more work is needed to establish this more clearly for QS and CH (even if Veselovsky et al. 2001 have already demonstrated the QS variability). In a forthcoming paper, we plan to analyze in more detail the properties of this small variation.

We now enumerate some future applications for our segmentation procedure.

First, note that by computing a segmentation of the quiet sun zone alone, it is possible to isolate bright points. The aim would then be e.g. to study the evolution of their density during the solar cycle. Second, the segmentation procedure is generic enough to be applicable to transformed data such as DEM maps. In this case, SPoCA will determine for a given temperature, zones of similar emission measure.

Finally, we will adapt the algorithm to deal with SDO/AIA data at full resolution. It would then be of interest to monitor e.g. the evolution of pertinent active regions properties, especially before a flare. We saw that filament channels seen in

coronal EUV passbands are often erroneously classified as “coronal holes” in the segmentation. Taking into account all AIA channels, and in particular the ones sampling the Transition Region and the hot corona, should provide a solution to the separation problem, e.g., via an absorption analysis (Daw et al. 1995).

Acknowledgements. Funding of V.D. and J.F.H. by the Belgian Federal Science Policy Office (BELSPO) through the ESA/PRODEX LYRA and SIDC Data Exploitation programs is hereby appreciatively acknowledged. The authors thank Francesca Zucharelo for providing the $H\alpha$ image from Kanzelhöhe, and SIDC for the data exploitation.

Appendix A: Mathematical background of the SPoCA

Let $I = (I_j)$ be the image to be processed, $1 \leq j \leq N$ being the pixel described by a p -dimensional feature vector x_j . Let \mathcal{N}_j denote the neighborhood of pixel j , containing j , and $\text{Card}(\mathcal{N}_j)$ be the number of elements in \mathcal{N}_j . In the following, we note $X = \{x_j, 1 \leq j \leq N, x_j \in \mathbb{R}^p\}$ the set of the feature vectors describing pixels j of I .

SPoCA is an iterative algorithm that searches for C compact clusters in X by computing both a fuzzy partition matrix $U = (u_{ij}), 1 \leq i \leq C, 1 \leq j \leq N, u_{i,j} = u_i(x_j) \in [0, 1]$ being the membership degree of x_j to class i , and unknown cluster centers $B = (b_i \in \mathbb{R}^p, 1 \leq i \leq C)$. It uses iterative optimizations to find the minimum of a constrained objective function:

$$J_{\text{SPoCA}}(B, U, X) = \sum_{i=1}^C \left(\sum_{j=1}^N u_{ij}^m \sum_{k \in \mathcal{N}_j} \beta_k d(x_k, b_i) + \eta_i \sum_{j=1}^N (1 - u_{ij})^m \right) \quad (\text{A.1})$$

subject for all $i \in \{1 \dots C\}$ to $\sum_{j=1}^N u_{ij} < N$, for all $j \in \{1 \dots N\}$ to

$\max_i u_{ij} > 0$, where $m > 1$ is a fuzzification parameter (Bezdek et al. 1997), and

$$\beta_k = \begin{cases} 1 & \text{if } k = j \\ \frac{1}{\text{Card}(\mathcal{N}_j)-1} & \text{otherwise.} \end{cases} \quad (\text{A.2})$$

Parameter η_i can be interpreted as the mean distance of all feature vectors x_j to b_i such that $u_{ij} = 0.5$. Krishnapuram & Keller (1993) proposed to compute η_i as the intra-class mean fuzzy distance

$$\eta_i = \frac{\sum_{j=1}^N u_{ij}^m d(x_j, b_i)}{\sum_{j=1}^N u_{ij}^m}.$$

The first term in (A.1) is the total fuzzy intra-cluster variance, while the second term prevents the trivial solution $U = 0$ and relaxes the probabilistic constraint $\sum_{i=1}^C u_{ij} = 1, 1 \leq j \leq N$,

stemming from the classical Fuzzy-C-means (FCM) algorithm (Bezdek et al. 1997). SPoCA is a spatially-constrained version of the possibilistic clustering algorithm proposed by Krishnapuram and Keller (Krishnapuram & Keller 1993), which allow us to interpret memberships as true degrees of belonging, and not as

degrees of sharing pixels amongst all classes, which is the case in the FCM method.

We showed in Barra et al. (2008) that U and B could be computed as

$$u_{ij} = \left[1 + \left(\frac{\sum_{k \in \mathcal{N}_j} \beta_k d(\mathbf{x}_k, \mathbf{b}_i)}{\eta_i} \right)^{\frac{1}{m-1}} \right]^{-1} \quad \text{and} \quad \mathbf{b}_i = \frac{\sum_{j=1}^N u_{ij}^m \sum_{k \in \mathcal{N}_j} \beta_k \mathbf{x}_k}{2 \sum_{j=1}^N u_{ij}^m}.$$

SPoCA provides thus fuzzy maps $U_i = (u_{ij})$ for $i \in \{\text{CH, QS, AR}\}$, represented by fuzzy images.

In order to ensure the temporal stability of the method, we first determined the class centers B by clustering with the improved SPoCA a subset sampling representative EIT images. We picked one day per month, from November 1997 to May 2005 (except during the July-September 1998 period and in January 1999), and we kept one (17.1 nm, 19.5 nm) acquisition in these days. This gives 95 images in each channel; this image dataset is denoted *SampleSet* in the following. We ran SPoCA with a subset of *SampleSet*, containing M images and always starting in November 1997. We then plotted the evolution of each class center component $b_i^j, b_i \in B, j \in \{17.1, 19.5\}$ as a function of M for each class $i, i \in \{\text{CH, QS, AR}\}$, and we retain for each channel the cluster centers corresponding to stable b_i values with respect to an increasing M , and we use the corresponding B for the full SPoCA analysis described below.

Appendix B: An introduction to mathematical morphology

Mathematical morphology is a set-theoretic method of signal and image analysis providing a quantitative description of geometrical structures (Serra 1983). Most of the morphological operations are based on simple expanding and shrinking operations on binary or quantized signals and images. In the following, we only address the mathematical morphology applied to 2D grey-level images, and we denote AR the binary image of AR edges stemming from the segmentation of image I .

The two basic morphological set transformations are erosion and dilation, which involve the interactions between an image I and a structuring set Σ , called the structuring element. Typically Σ is a circular disc in the plane, but it can be of any shape, the choice being driven by the application. Let I, Σ be two subsets of \mathbb{Z}^2 . The dilation of I by Σ is the set

$$I \oplus \Sigma = \{x, \hat{\Sigma}_x \cap I \neq \emptyset\}$$

where $A_x = \{c, c = x + a, a \in A\}$ is the translation of A by x and $\hat{A} = \{x, x = -a, a \in A\}$ is the reflection of A .

The erosion of I by Σ is the set

$$I \ominus \Sigma = \{x, \Sigma_x \subset I\}.$$

Roughly speaking, dilation is used to increase the size of objects in I , conditional to the shape of the structuring element Σ and erosion reduces the size of objects w.r.t. Σ .

Dilation and erosion are duals of each other with respect to set complementation and reflection. Erosion and dilation can be used in a variety of ways, in parallel and series, to give other transformations including thickening, thinning, skeletonisation and many others. Two very important transformations are opening and closing. If, intuitively, dilation expands an image object

and erosion shrinks it, opening generally smooths a contour in an image, breaking narrow isthmuses and eliminating thin protrusions, whereas closing tends to narrow smooth sections of contours, fusing narrow breaks and long thin gulfs, eliminating small holes, and filling gaps in contours.

More precisely, the opening of I by Σ is defined by

$$O[\text{AR}] = (\text{AR} \ominus \Sigma) \oplus \Sigma$$

and the closing is defined by

$$C[\text{AR}] = (\text{AR} \oplus \Sigma) \ominus \Sigma.$$

A classical morphological opening is defined by $O[\text{AR}] = (\text{AR} \ominus \Sigma) \oplus \Sigma$. The transformation we applied in this article is a conditional morphological opening: it is an opening constrained with the original image I , and more particularly on the gray level of pixels composing the edge. All these morphological operations preserve the main geometric structures of the object. Only features “smaller than” the structuring element are affected by transformations. All other features at larger scales are not degraded. (This is not the case with linear transformations, such as convolution).

Appendix C: The optical flow algorithm

A fundamental problem in vision and image processing is the measurement of image velocity, or image flow, which consists of computing an approximation of a 2D motion field, projection of the 3D velocities of surface points onto the imaging surface, from spatiotemporal images. Many methods have been proposed to address this issue, and we applied in this article a differential technique first developed in Lucas & Kanade (1981).

Differential techniques compute velocities from spatiotemporal derivatives of image intensities, or low-pass or band pass filtered version of the image. If $I(x, y, t)$ denotes the gray-level of pixel (x, y) at date t , they require this function to be differentiable, and assume the conservation of image intensities through time. This leads to an under-determined problem

$$I(x, y, t) = I(x - u, y - v, 0)$$

where $\nu = (u, v)$ is the velocity vector. Under the hypothesis of small displacements, a Taylor expansion of this expression gives the gradient constraint equation:

$$\nabla I(x, y, t)^T \nu + \frac{\partial I}{\partial t}(x, y, t) = 0 \quad (\text{C.1})$$

where ∇ is the spatial gradient operator. Equation (C.1) allows us to compute the projection of ν in the direction of ∇I (perpendicular to isointensities), and the other component of ν is found by regularizing the estimation of the vector field. Lucas and Kanade proposed to process this regularization by a weighted least squares fit of local first-order constraint (C.1) to a constant model for ν in each of small spatial neighborhood Ω . More precisely, they proposed to minimize

$$\sum_{(x,y) \in \Omega} W^2(x, y) \left[\nabla I(x, y, t)^T \nu + \frac{\partial I}{\partial t}(x, y, t) \right]^2 \quad (\text{C.2})$$

where $W(x, y)$ denotes a window function that gives more influence to constraints at the center of the neighborhood than those at the surroundings. The solution of (C.2) is given by

$$A^T W^2 A \nu = A^T W^2 b$$

where for n points $(x_i, y_i) \in \Omega$ at time t

$$A = (\nabla I(x_1, y_1, t) \cdots \nabla I(x_n, y_n, t))^T$$

$$W = \text{diag}(W(x_1, y_1) \cdots W(x_n, y_n))$$

$$b = \left(-\frac{\partial I}{\partial t}(x_1, y_1, t) \cdots -\frac{\partial I}{\partial t}(x_n, y_n, t) \right)^T$$

and so $v = (A^T W^2 A)^{-1} A^T W^2 b$.

In this paper, we applied a multiresolution version of this algorithm: the images were downsampled to a given lowest resolution, then the optical flow algorithm was computed for this resolution, and serves as an initialization for the computation of optical flow at the next resolution. This process was iteratively applied until the initial resolution was reached. This allows a coarse-to-fine estimation of velocities.

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